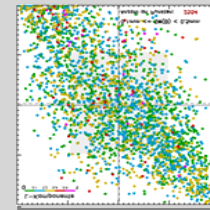
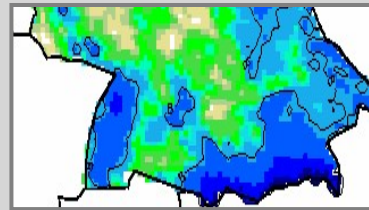
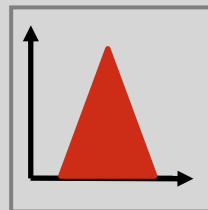
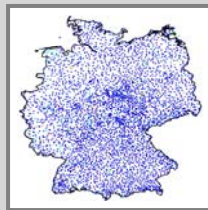


# SAL - a novel error measure for the verification of high-resolution precipitation forecasts

Marcus Paulat, Heini Wernli – Institute for Atmospheric Physics, University of Mainz

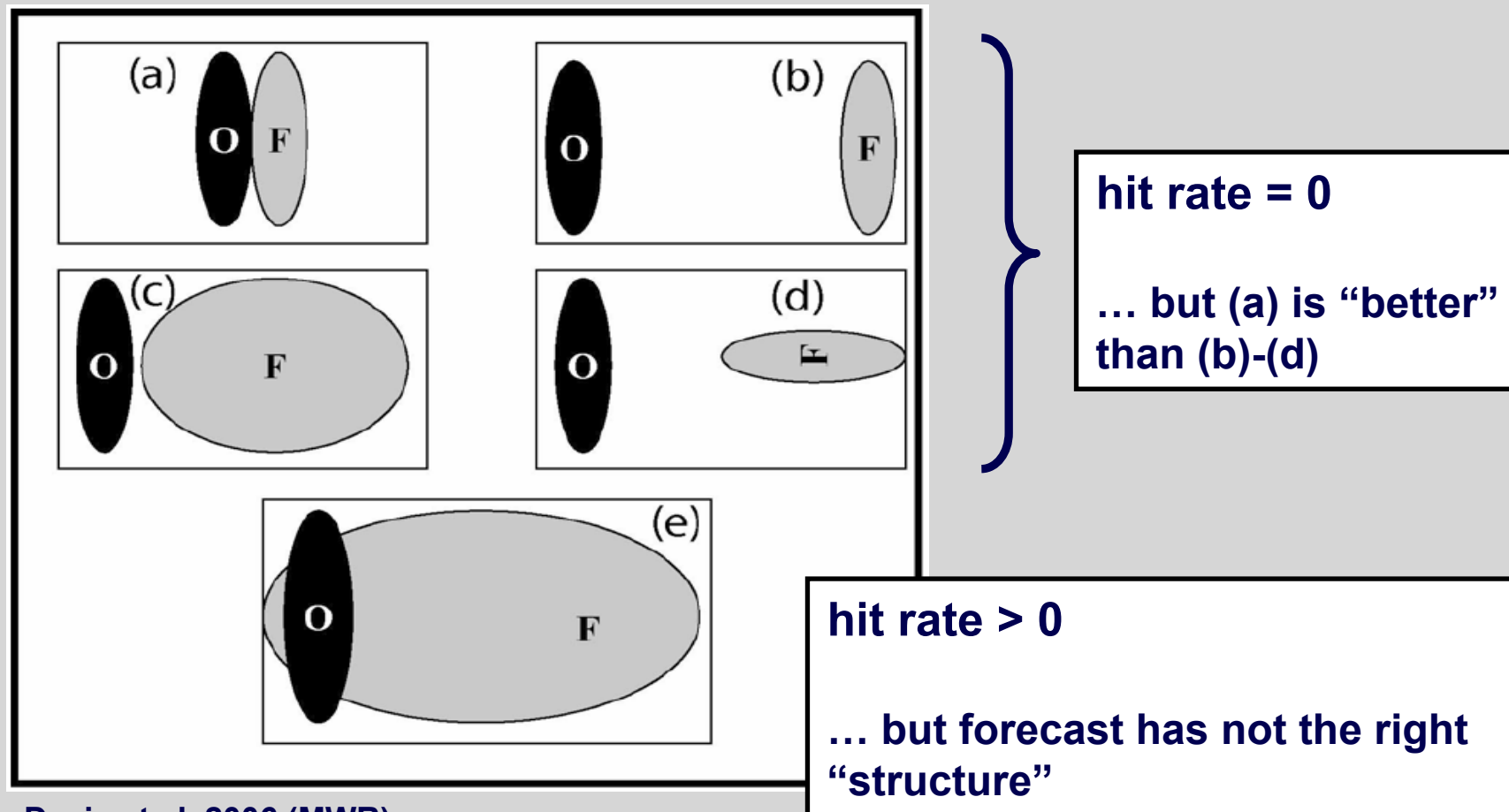
Christoph Frei – Bundesamt für Meteorologie und Klimatologie, MeteoSwiss Zürich

Martin Hagen - Institut für Physik der Atmosphäre, DLR Oberpfaffenhofen



1. February 2007

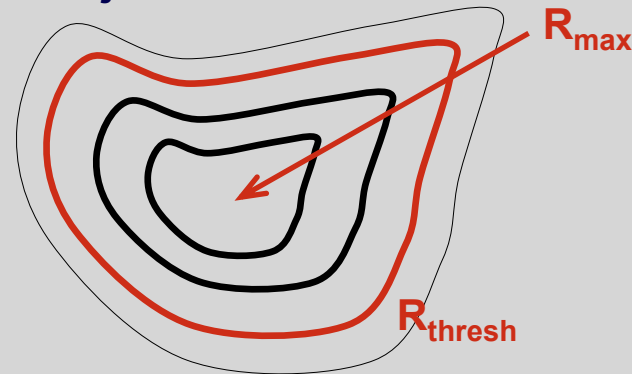
## Problematic aspects of grid point based error scores



Davis et al. 2006 (MWR)

## S A L – a novel error measure for precipitation forecasts

- consider precipitation in pre-specified area (e.g. river catchment)
- SAL consists of three independent components
- components address quality of structure (S), amplitude (A) and location (L) of QPF in that area
- according to SAL a forecast is perfect if  $S = A = L = 0$
- S requires the definition of precipitation objects



- *but*: no attribution between precipitation objects in forecast and observations!

## S A L - Definition of the components

$$A = (D(R_{\text{mod}}) - D(R_{\text{obs}})) / 0.5*(D(R_{\text{mod}}) + D(R_{\text{obs}}))$$

$D(\dots)$  denotes the area-mean value (e.g. catchment)

normalized amplitude error in considered area

$$A \in [-2, \dots, 0, \dots, +2]$$

$$L = |r(R_{\text{mod}}) - r(R_{\text{obs}})| / \text{dist}_{\text{max}}$$

$r(\dots)$  denotes the centre of gravity of the precipitation field in the area

normalized location error in considered area

$$L \in [0, \dots, 1]$$

$$S = (V(R_{\text{mod}}^*) - V(R_{\text{obs}}^*)) / 0.5*(V(R_{\text{mod}}^*) + V(R_{\text{obs}}^*))$$

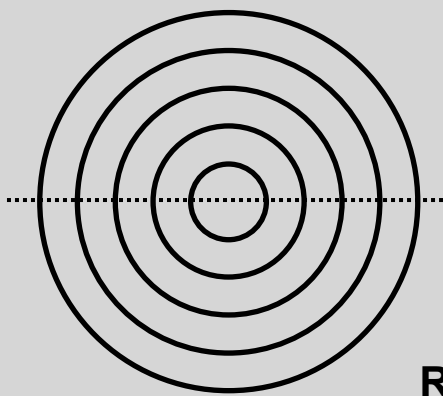
$V(\dots)$  denotes the weighted volume average of all scaled precipitation objects in considered area

normalized structure error in considered area

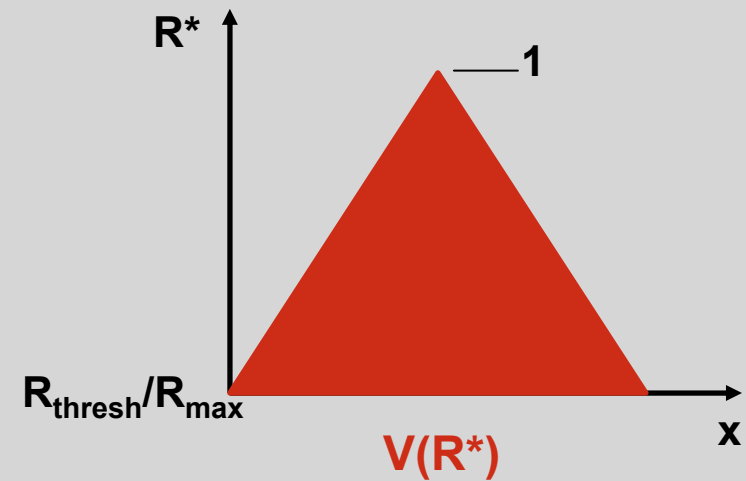
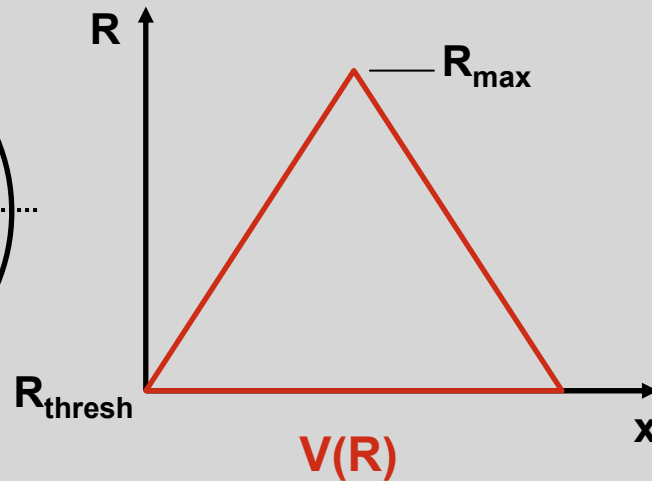
$$S \in [-2, \dots, 0, \dots, +2]$$

## SAL - the S-component

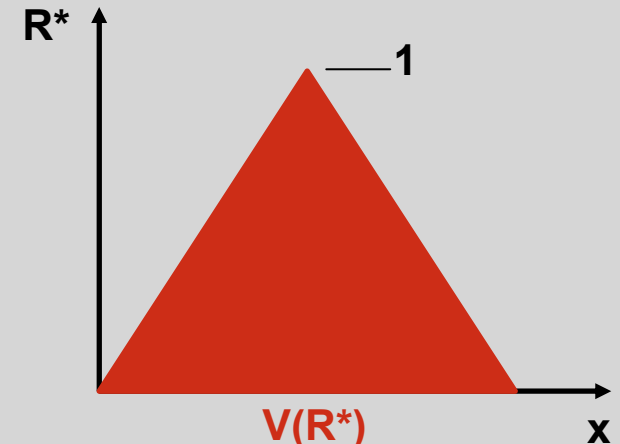
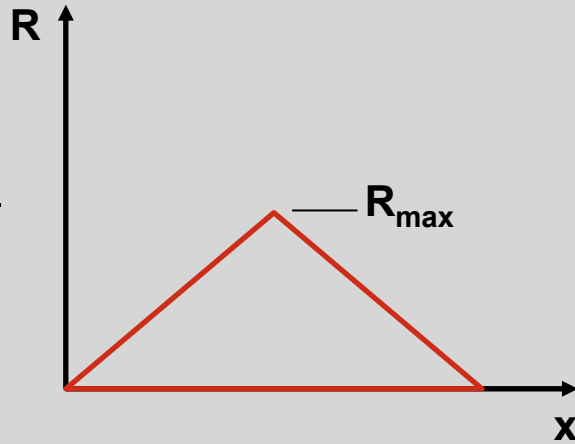
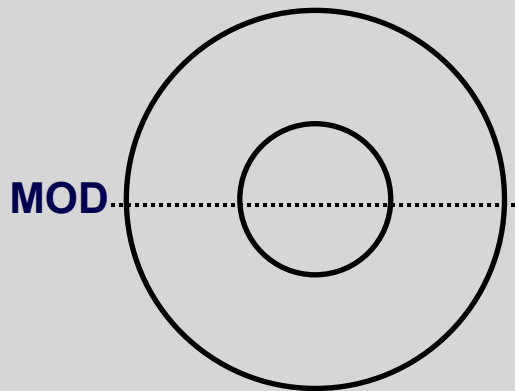
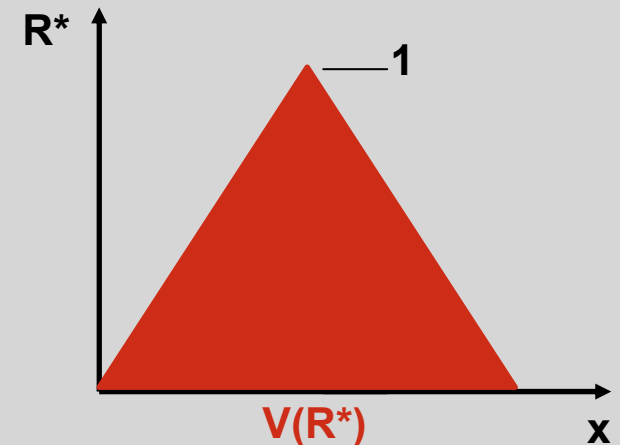
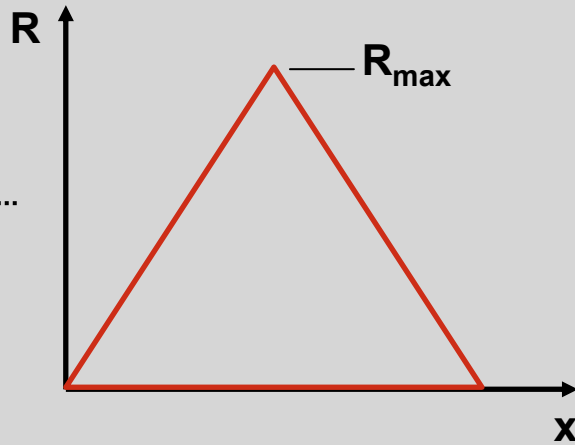
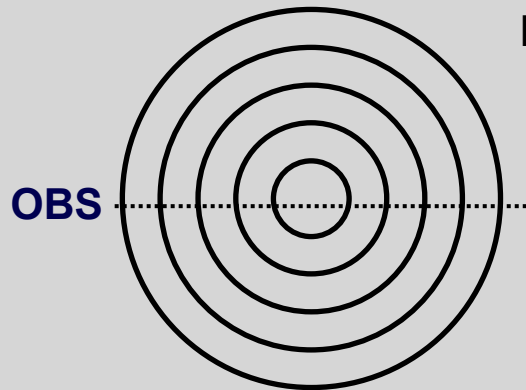
scaling for every object:  $R^* = R / R_{\max}$ ;  $R^* \in [R_{\text{thresh}}/R_{\max}, \dots, 1]$



circular  
precipitation  
object



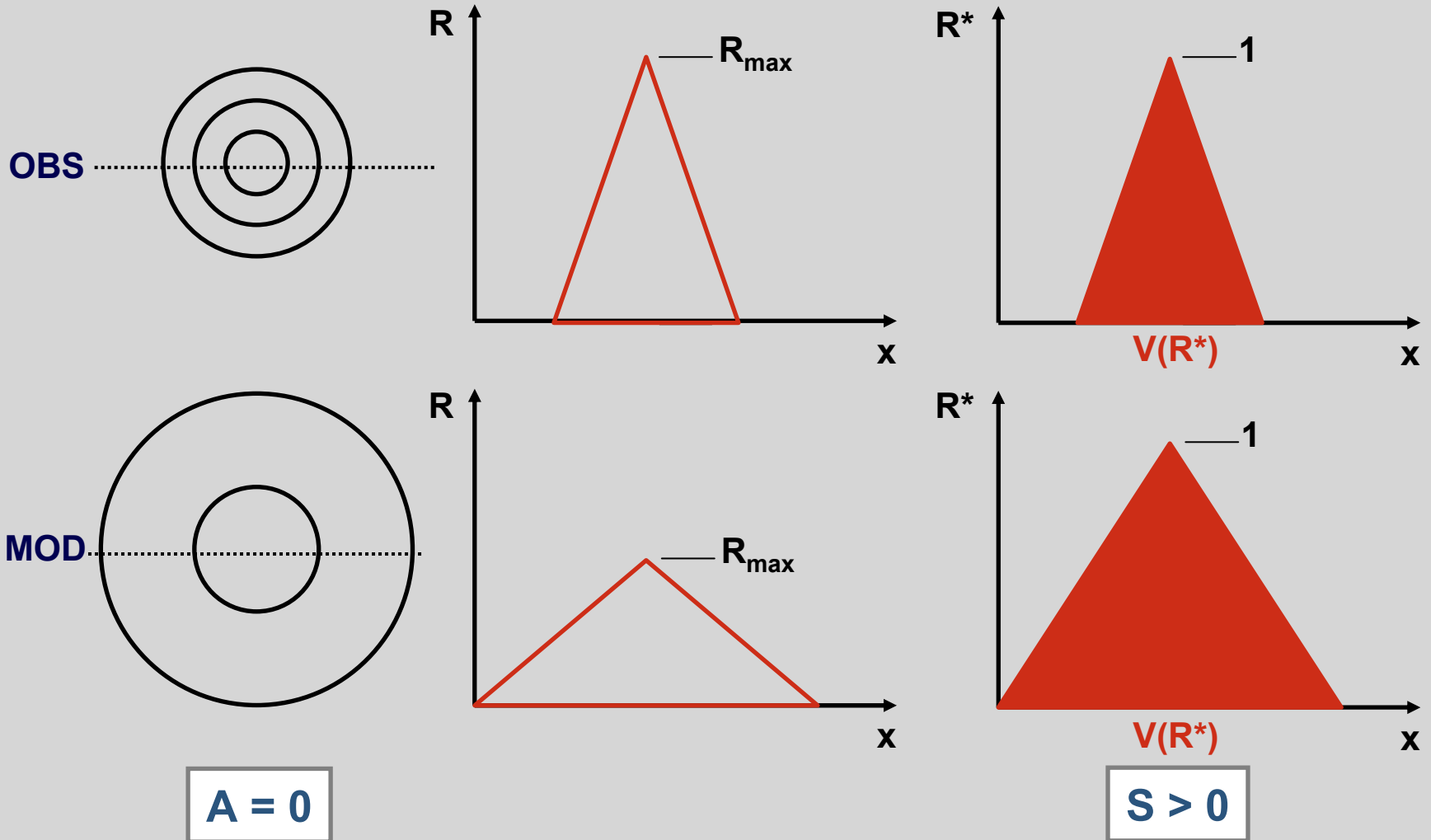
intense vs. weak objects with same size



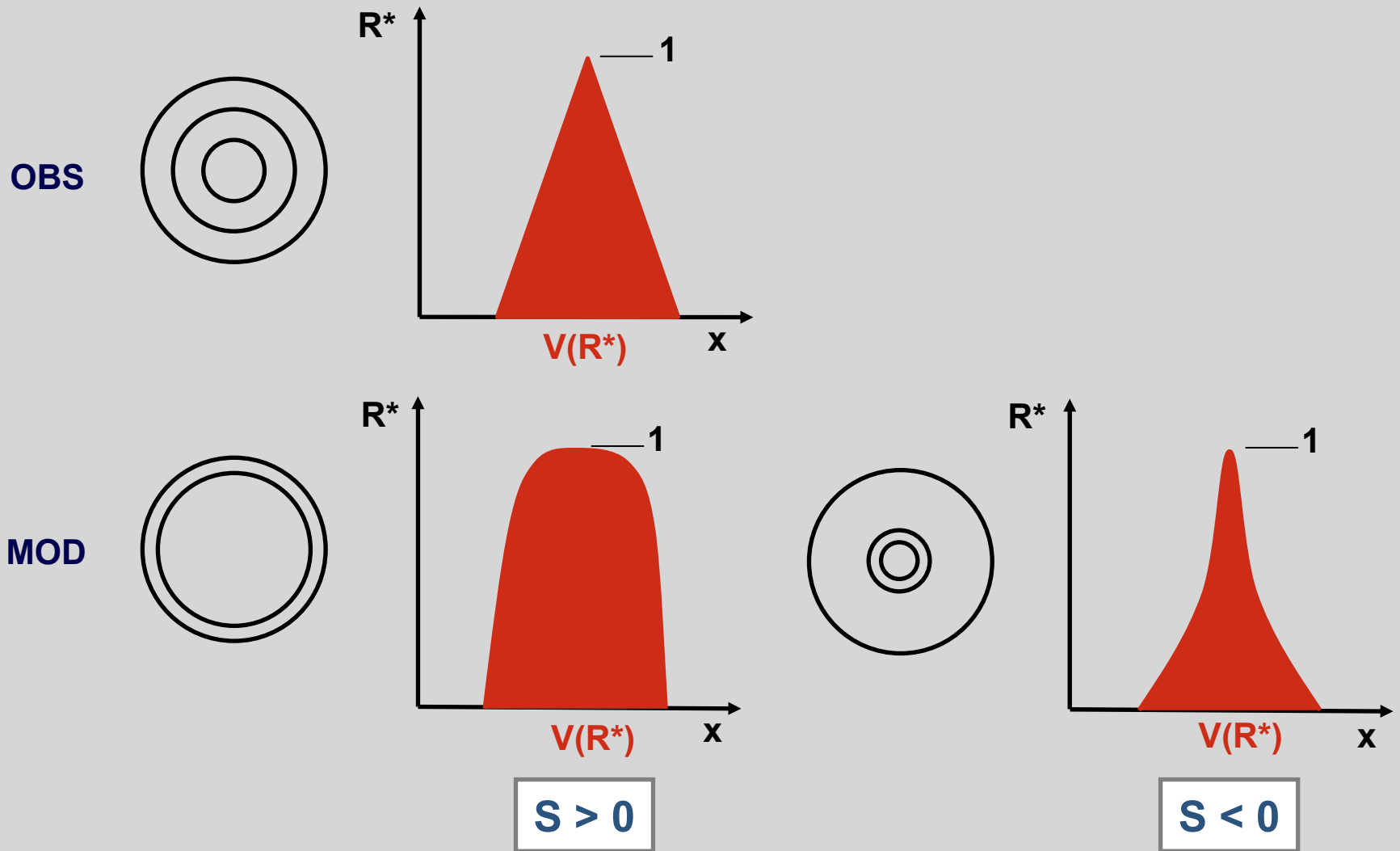
$A < 0$

$S = 0$

## small intense vs. large weak objects

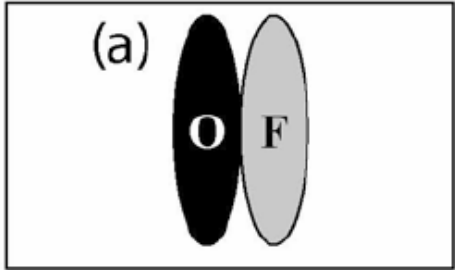


## peaked vs. flat objects



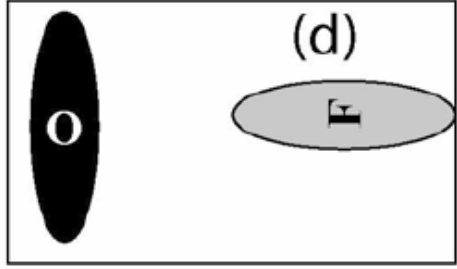
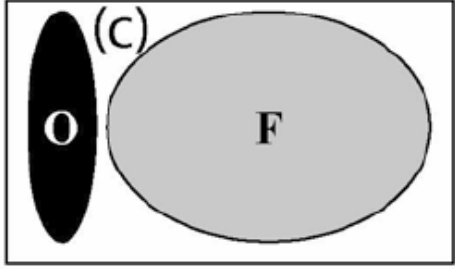


**S = 0**  
**A = 0**  
**L small**

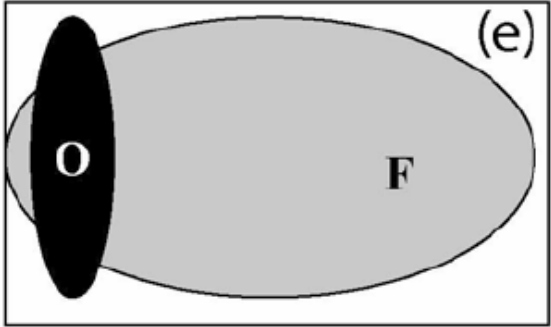


**S = 0**  
**A = 0**  
**L large**

**S > 0**  
**A = 0**  
**L medium**



**S = 0**  
**A = 0**  
**L large**



**S >> 0**  
**A = 0**  
**L medium**

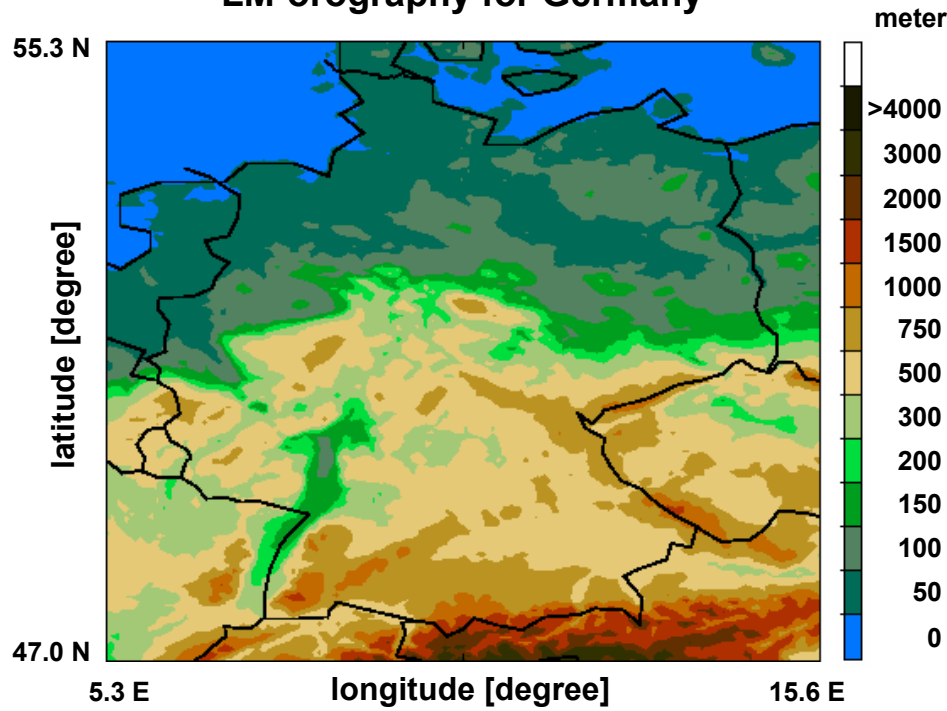
Davis et al. 2006

## precipitation in Germany: MOD and OBS

**MOD: aLMo: operational NWP-model from MeteoSwiss: January 2001 – December 2004**

**OBS: hourly precip from disaggregation of 24h-rain gauges (4000 stations) with radar**

**LM-orography for Germany**



### MOD

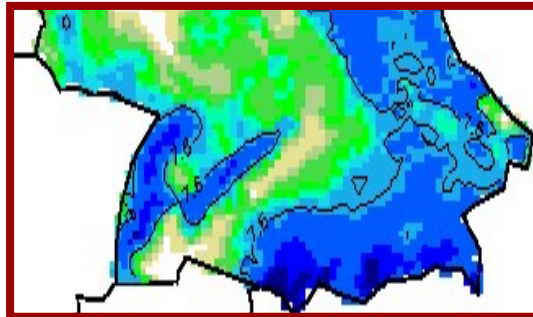
- aLMo is non-hydrostatic grid point model
- horizontal resolution: 7 km
- 45 vertical layers
- domain covers W and central Europe
- nested in ECMWF global model
- operational at MeteoSwiss since 1999
- 72h-forecasts started at 00 and 12 UTC
- model output every hour

## a real case example

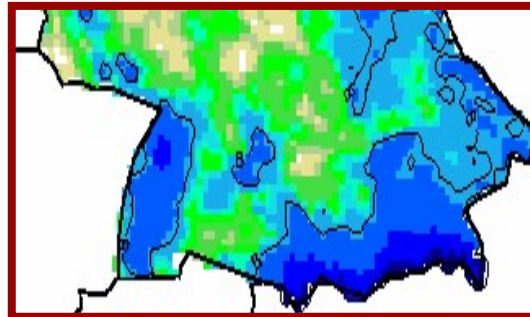
$$R_{\text{thresh}} = R_{\text{max}}(\text{area})/15$$

$$S, A \in [-2, \dots, 0, \dots, +2] ; L \in [0, \dots, 1]$$

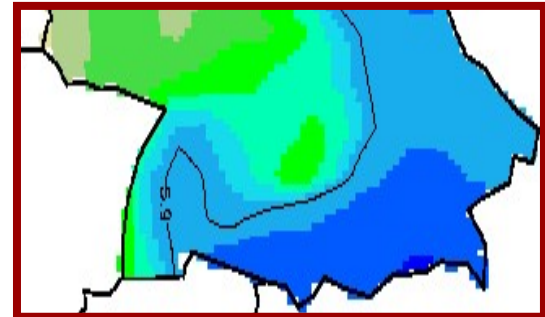
aLMo



observations



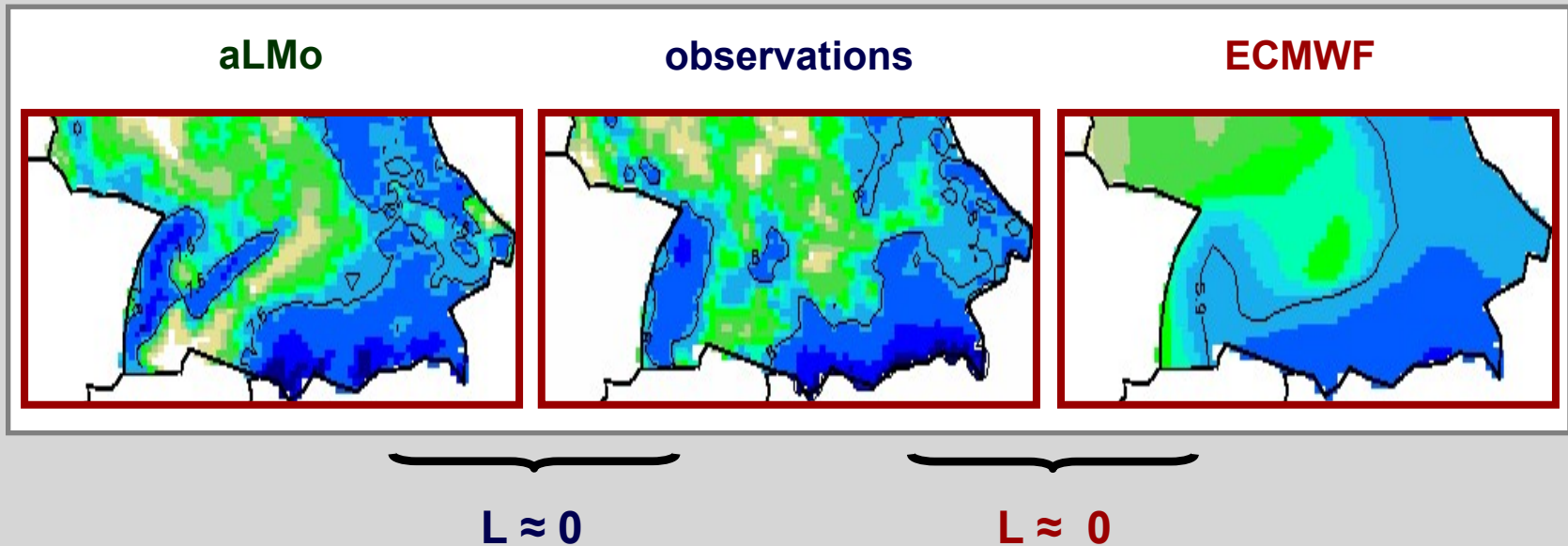
ECMWF



## a real case example

$$R_{\text{thresh}} = R_{\text{max}}(\text{area})/15$$

$$S, A \in [-2, \dots, 0, \dots, +2] ; L \in [0, \dots, 1]$$



## a real case example

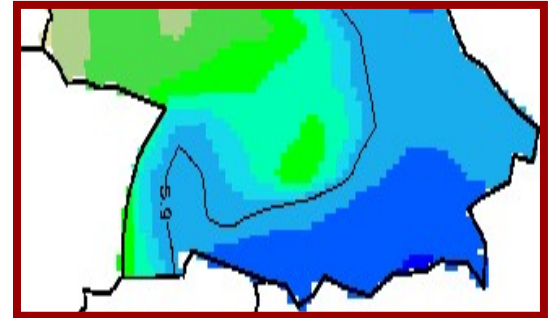
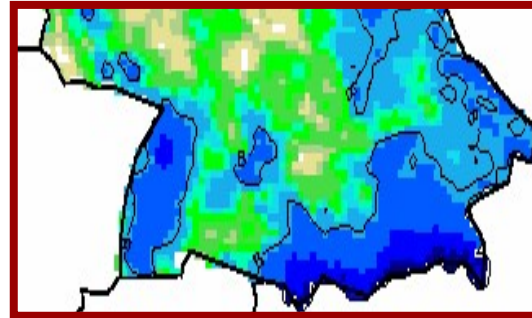
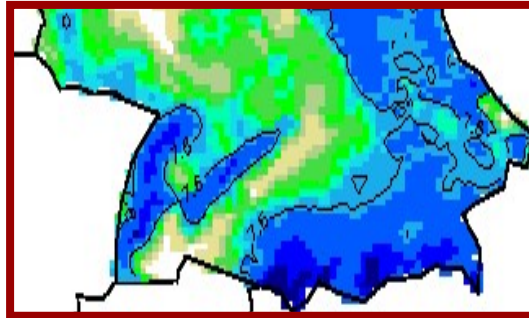
$$R_{\text{thresh}} = R_{\text{max}}(\text{area})/15$$

$$S, A \in [-2, \dots, 0, \dots, +2]; L \in [0, \dots, 1]$$

aLMo

observations

ECMWF



$$L \approx 0$$

$$A \approx 0$$

$$L \approx 0$$

$$A = -0.14$$

## a real case example

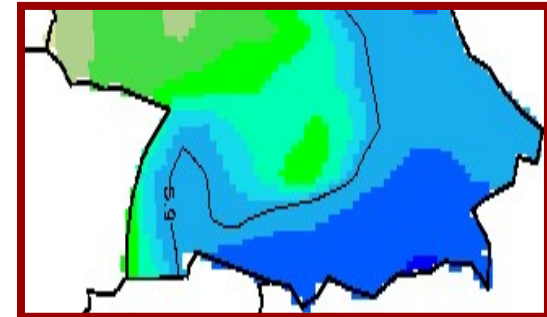
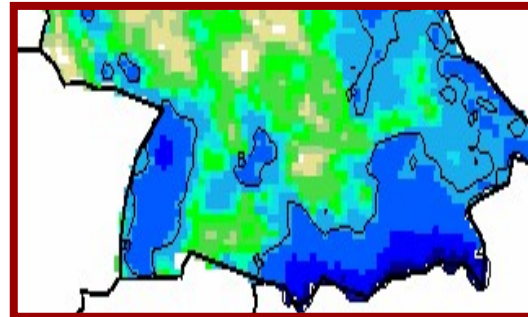
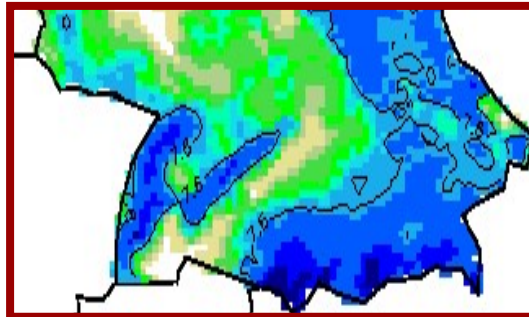
$$R_{\text{thresh}} = R_{\text{max}}(\text{area})/15$$

$$S, A \in [-2, \dots, 0, \dots, +2]; L \in [0, \dots, 1]$$

aLMo

observations

ECMWF



$$L \approx 0$$

$$A \approx 0$$

$$S = 0.17$$

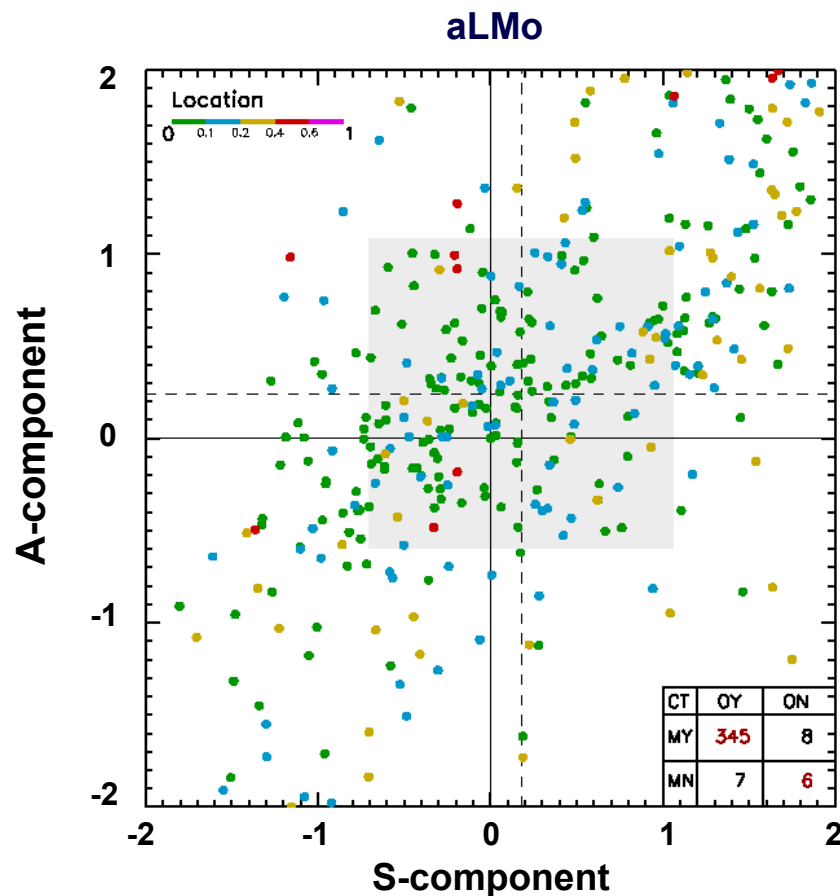
$$L \approx 0$$

$$A = -0.14$$

$$S = 0.63$$

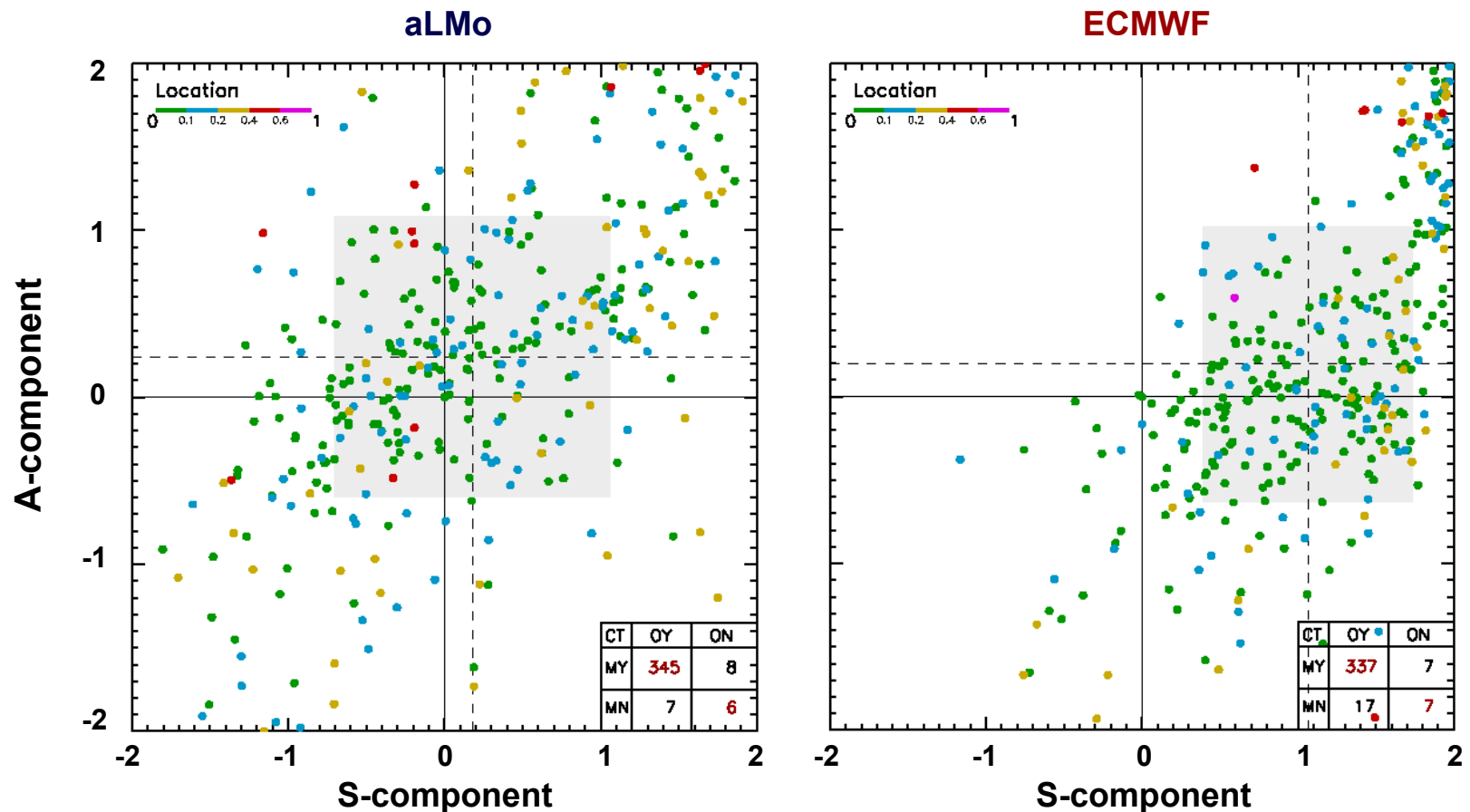
## S A L - statistics: 24h accumulated

summer seasons 2001-2004 for catchment Rhine



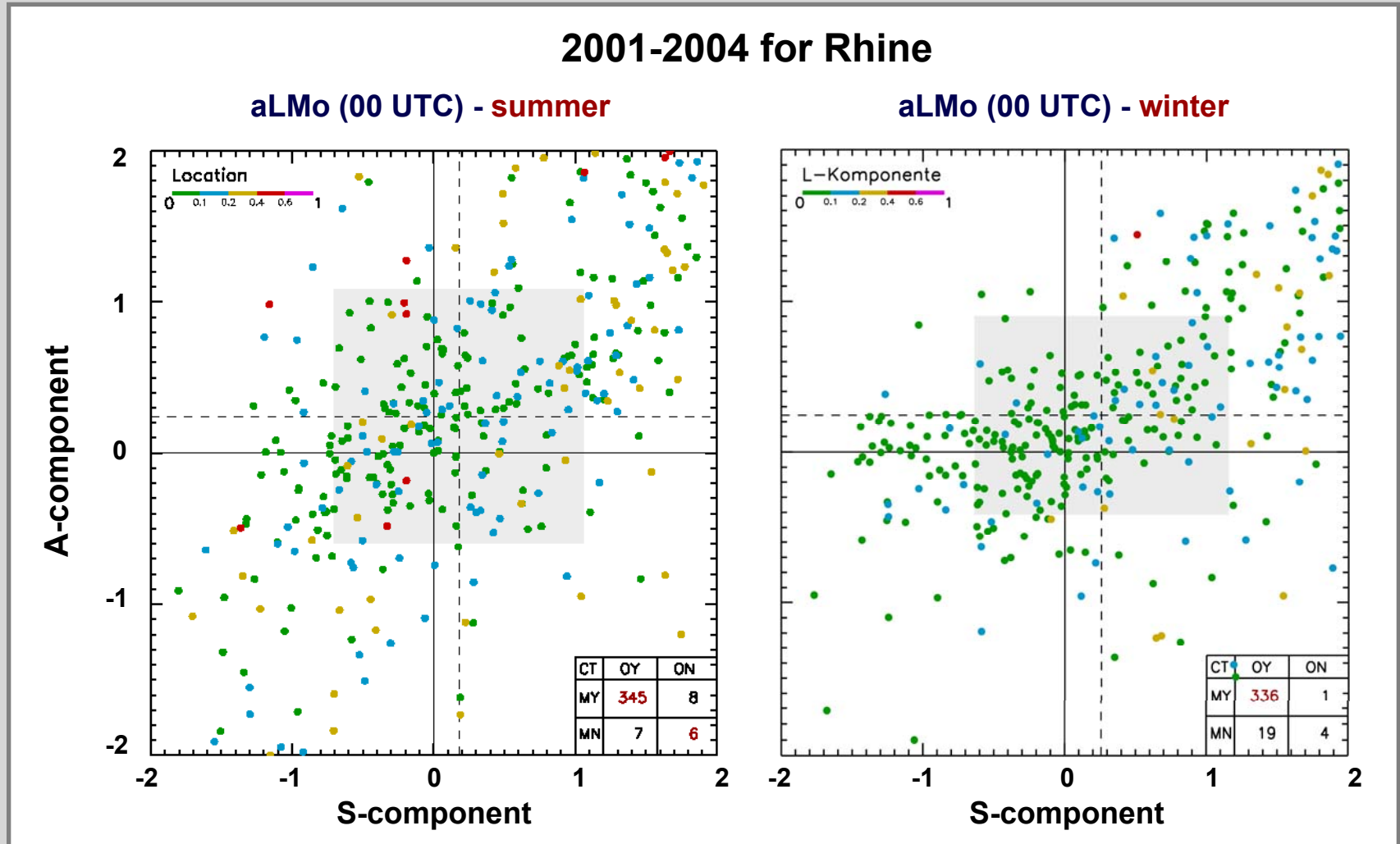
# S A L - statistics: 24h accumulated

summer seasons 2001-2004 for catchment Rhine

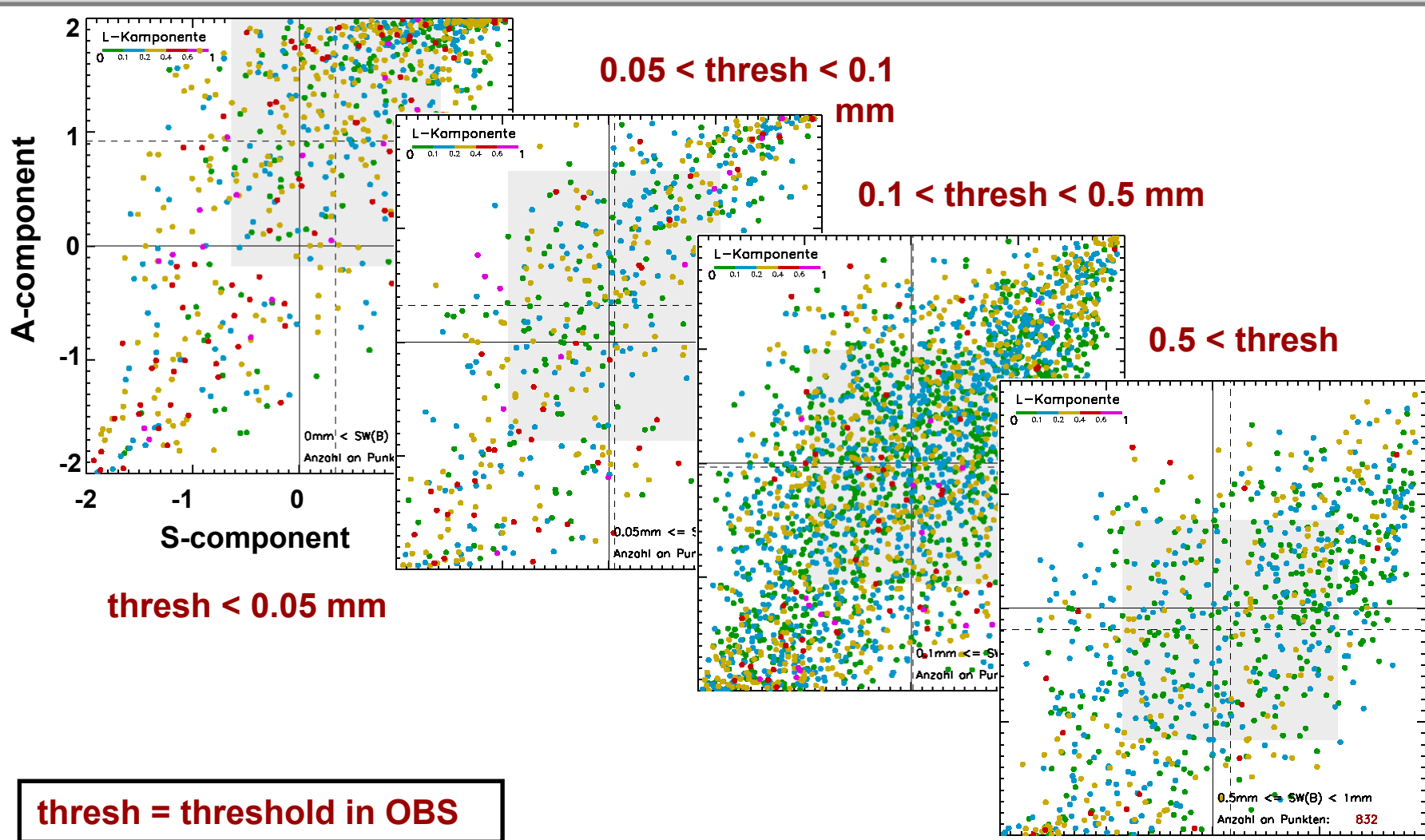




# S A L – statistics: 24h accumulated



# S A L – statistics for aLMo: 1h accumulated (summer, Rhine)



## Conclusions

- **SAL:** has 3 independent components to quantify quality of structure, amplitude and location of QPF
- **claim:** with SAL verification of key characteristics of precipitation field in pre-specified area, close to “subjective human judgement”
- **advantage:** no attribution between objects (difficult for small objects)
- **first results:** 24h QPF: S is smaller for mesoscale model compared to global model  
1h QPF from mesoscale model: differences between seasons, intensity categories
- **caveats:** non-perfect QPFs can yield  $S = A = L = 0$   
no consideration of orientation of objects  
currently very simple definition of objects

## THANKS

DFG - German Research Foundation  
for funding within the German Priority  
Programme on QPF



**LM data**

**Rain gauge precipitation data**

**Precipitation climate data**

**Radar data**



**aLMo data**