



Assimilating SST with an atmospheric DA system

Intended to be presented by John Derber

Most of the work done by Xu Li

National Centers for Environmental Prediction

*ECMWF Workshop on Sea Surface Temperature and Sea Ice analysis
and forecast*

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“Where America’s Climate, Weather, Ocean and Space Weather Services Begin”



Motivation



- The SST has a significant impact on weather and climate forecasts.
 - Diurnal cycle of SST can be several degrees in low wind conditions. Impact on fluxes.
 - Use of daily mean SST analyses removes impact of diurnal cycle of SST on the forecast.
- Observations which have the significant diurnal cycle signal in them cannot be properly used. (e.g., Radiances, conventional obs.)
 - Without accounting for DC, signal can be aliased to atmospheric analysis.
 - Resolving the vertical structure in the mixed layer allows one to better use information in observations.

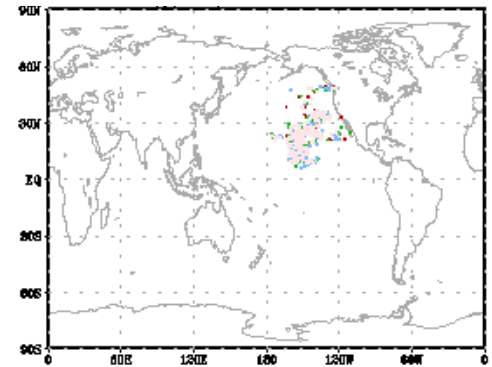
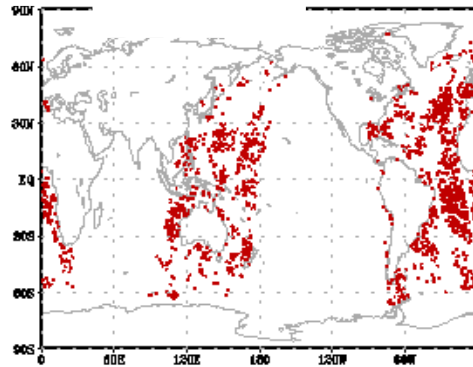
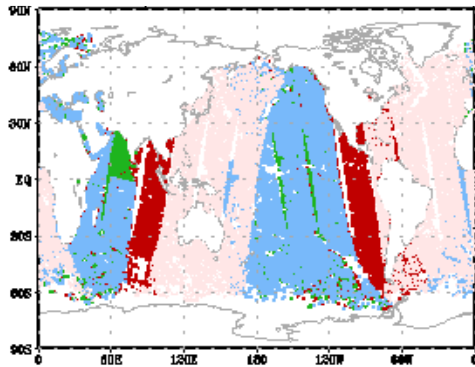


Observations – direct use

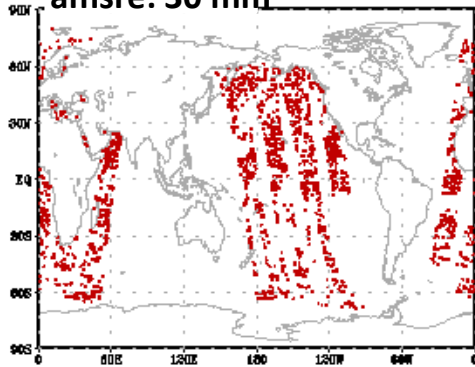


- Forward operator in variational problem
 - Can use Metadata when available (depth, etc.) to better describe the observation
 - Allow observations to be used directly without adjustment (retrievals) to make them more like the analysis variable.
 - Can account for non-ocean signals (e.g., atmosphere, aerosols, clouds, etc.).

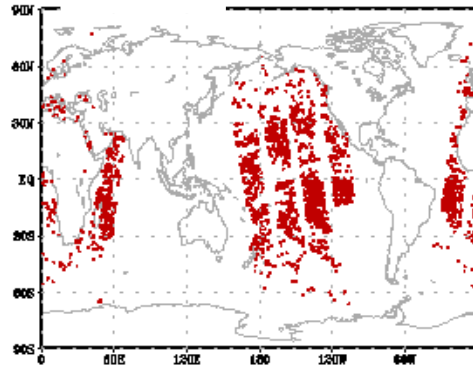
6-hour time window centered at 00Z, 5/22/2010



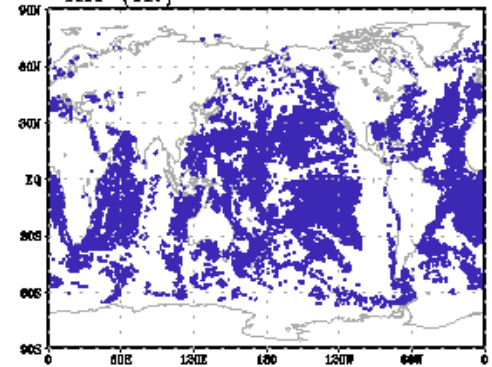
amsre: 30 mm



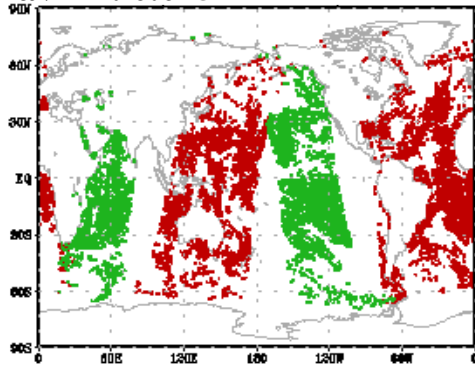
airs: 0.015 mm



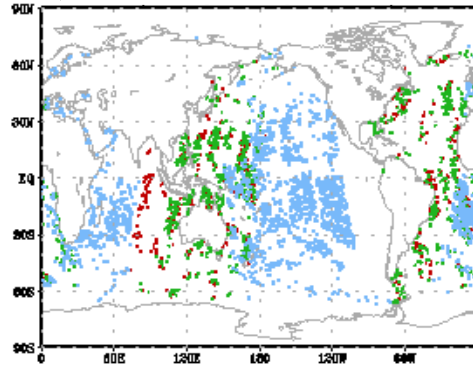
All (IR)



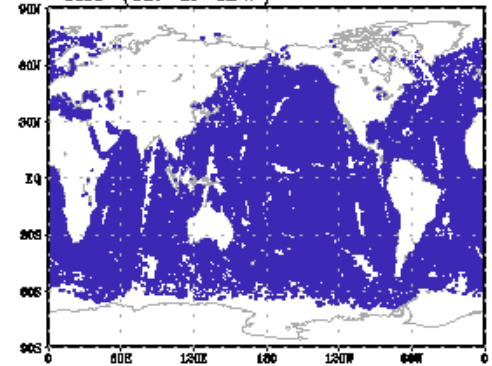
avhrr: 0.015mm



hirs: 0.015 mm



All (IR & MW)

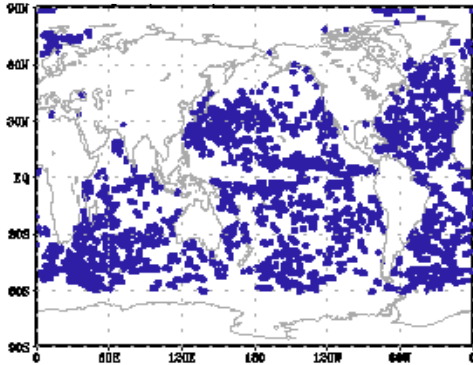


Satellite observations: coverage and skin-depth

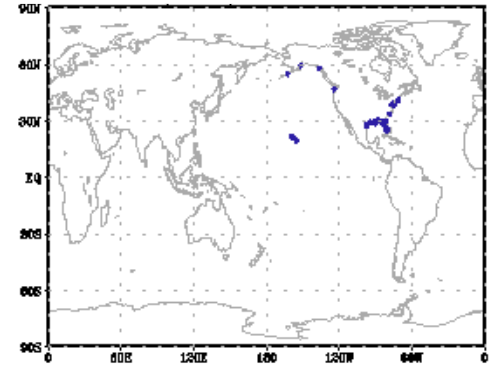
13 day period in May 2010

Ships: 1.0 – 3.0+ m

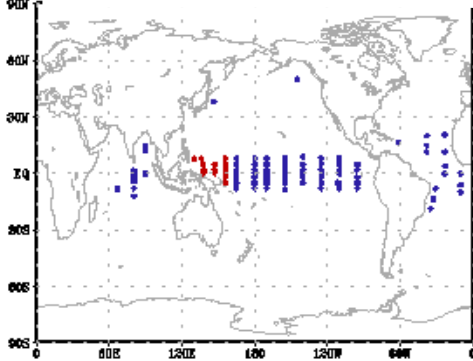
Drifting Buoy: 0.2 m



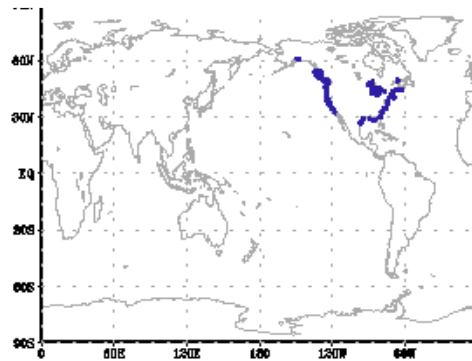
LCMAN: 1.0 m



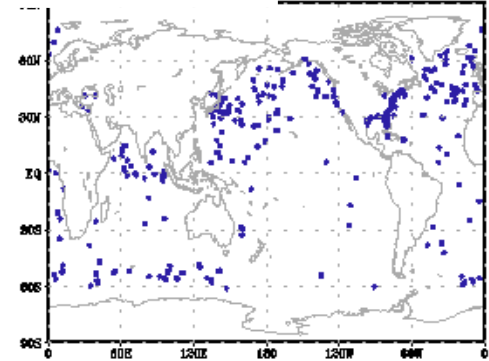
Fixed Buoy: 1.0 or 1.5 m



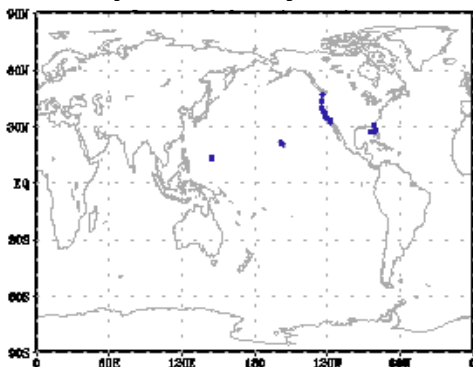
Some Moored Buoy: 0.6 m



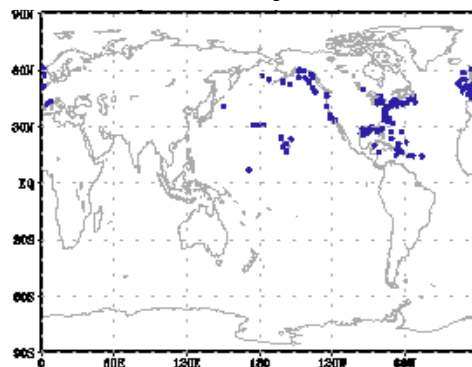
Argo profile: 1.0 or 5.0 m



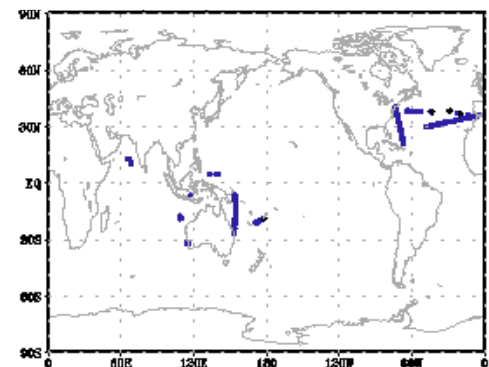
Scripts Mbuoy: 0.45m



Other Mbuoy: 1.0 m



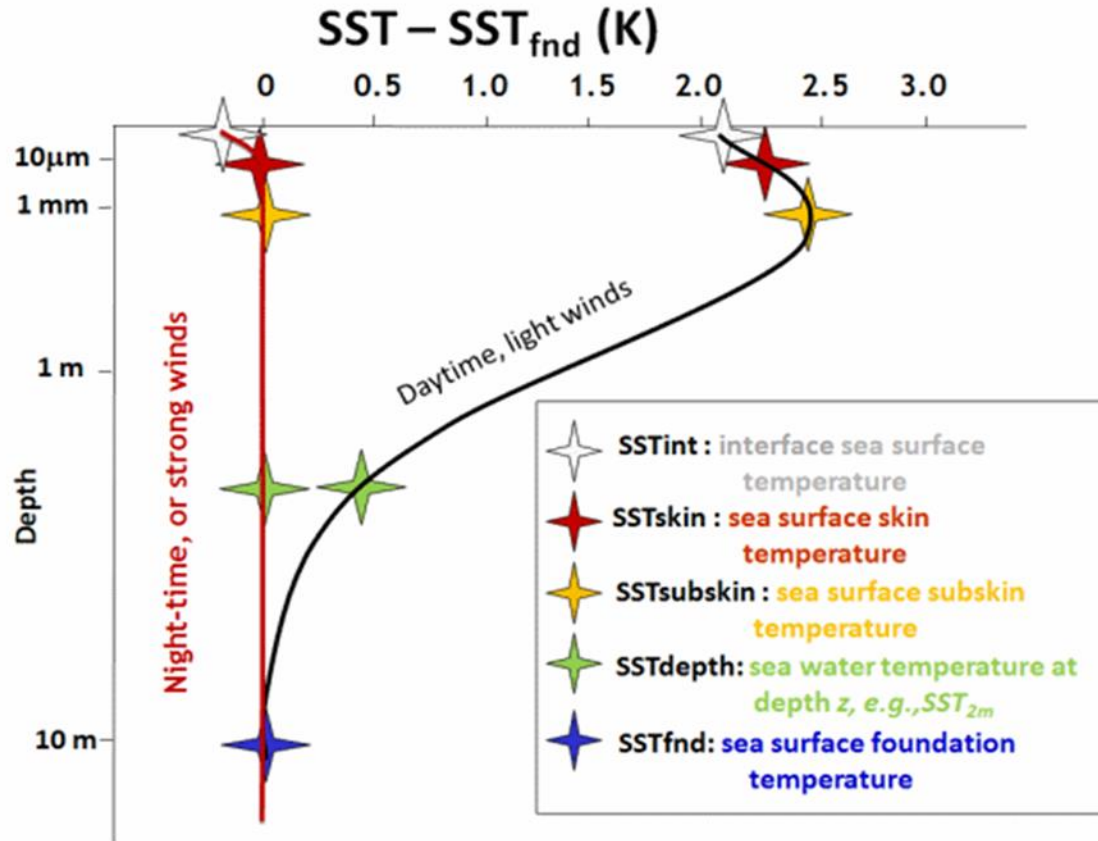
XBT: 1.5 – 5.0 m



In Situ sea temperature observations: coverage and depth



Near-surface SST model





Near-surface SST model



- In the vertical temperature is defined as

$$T(z) = T_f + T_W(z) + T_C(z)$$

where

T_f - is the foundation temperature

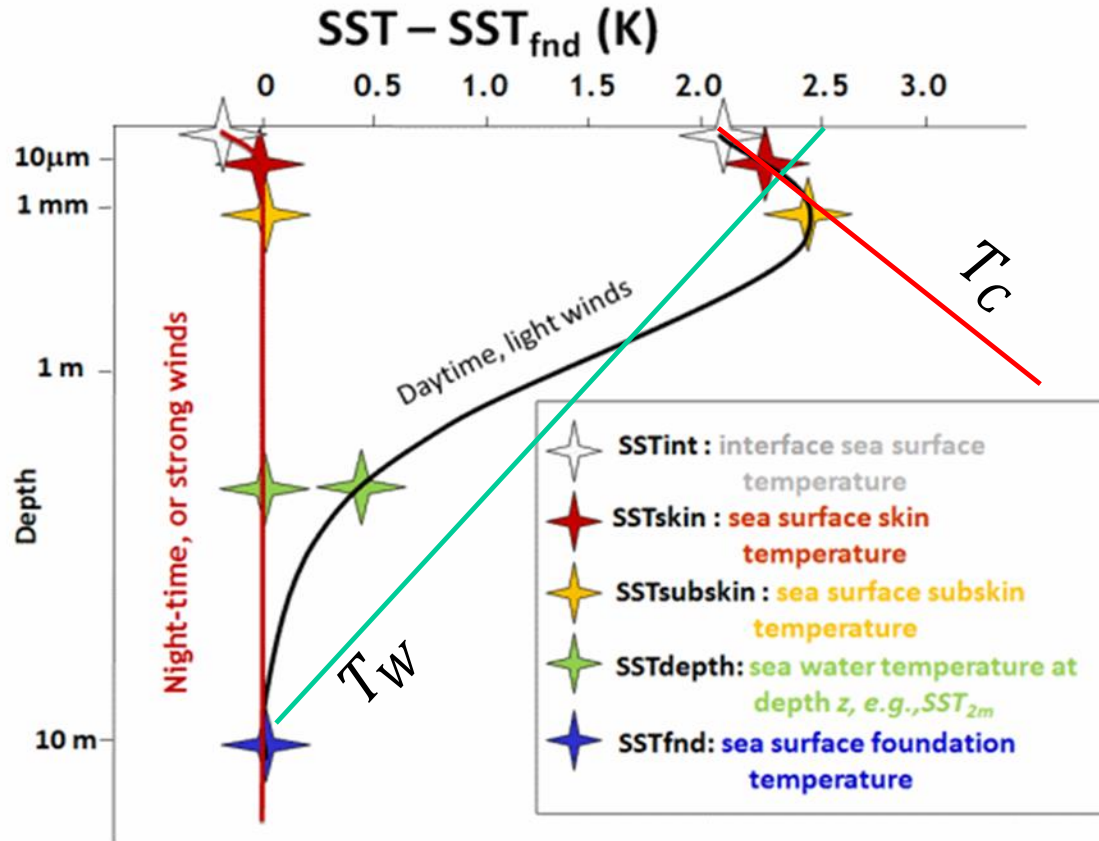
T_W - is the Thermal Skin Layer (based on Fairall et al. 1996) – Warming

T_C - is the Diurnal Thermocline Layer (based on Price et al. 1986) - Cooling

- Both Layer models are assumed to be linear
- Cooling and warming forced by fluxes from atmospheric model
- Details in Li et al.(in preparation)

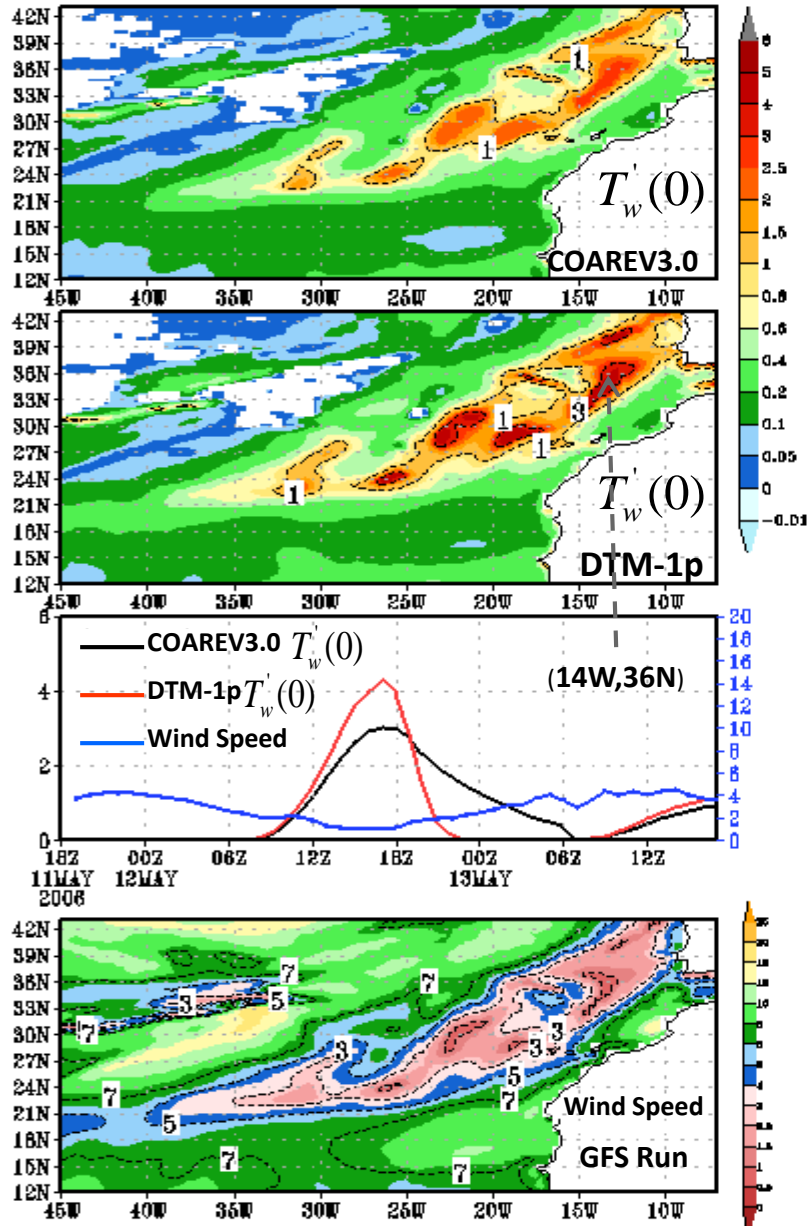


Near-surface SST model

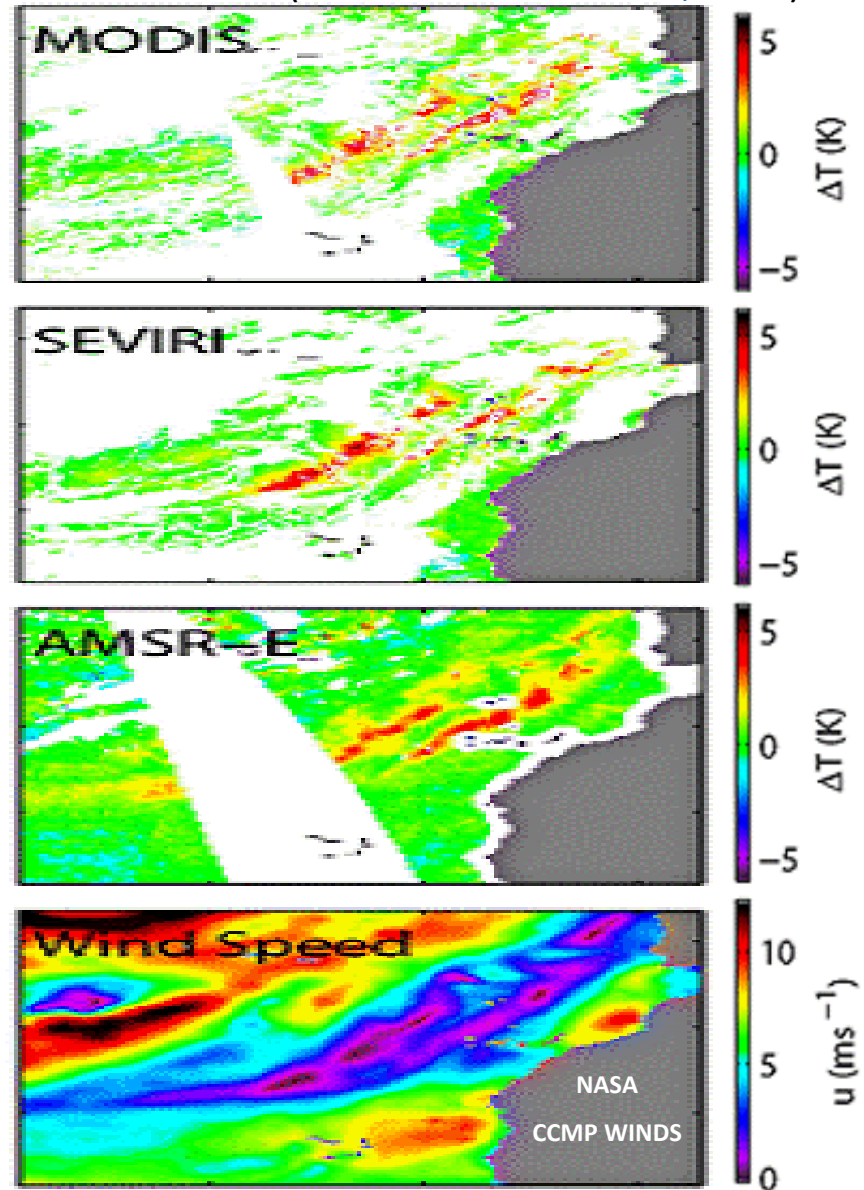


SST diurnal warming: 14Z, May 12, 2006

Simulation



Retrievals (from Gentemann et al, 2008)



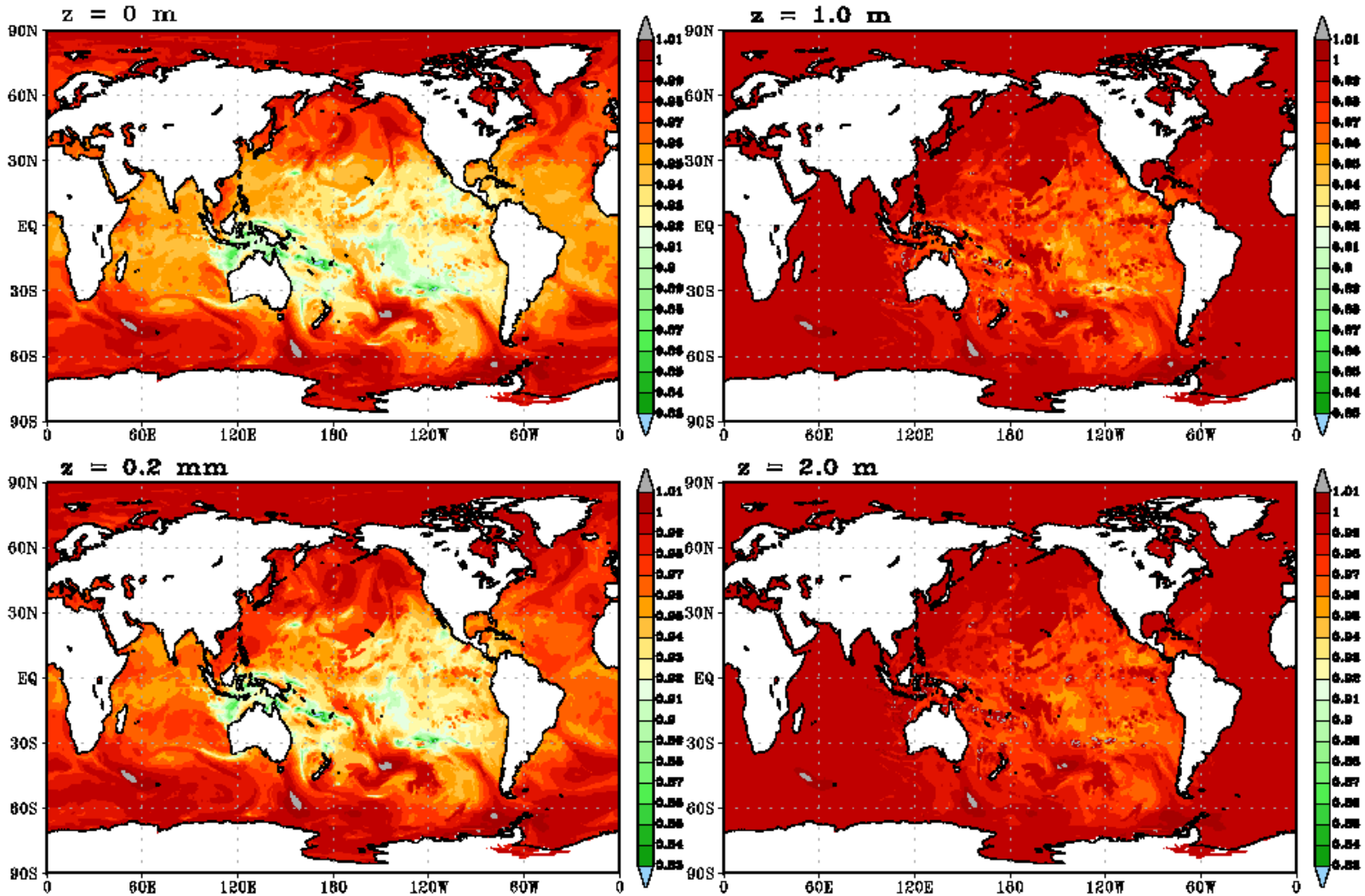


NSST in Hybrid EnKF GSI



- Analysis performed as part of operational global atmospheric hybrid EnKF variational system.
- T_f is the control variable and $T(z)$ is calculated using the NSST model
- T_f analysis is done using the static background only and not included in EnKF yet
- T_f analysis increment by the static GSI is applied to ensemble members
 - No T_f spread in the ensemble
 - SST spread in the ensemble due to differences in forcing.
- The static covariance between the ocean (T_f) and atmospheric variable are set to zero, but atmosphere and ocean analysis are not independent due to forward model.

Jacobi of observation operator $\partial T_z / \partial T_f$.06Z, 02/06/2006



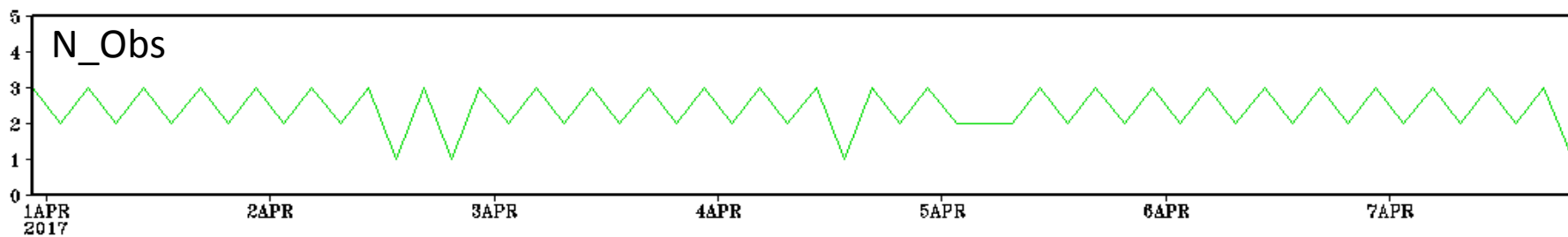
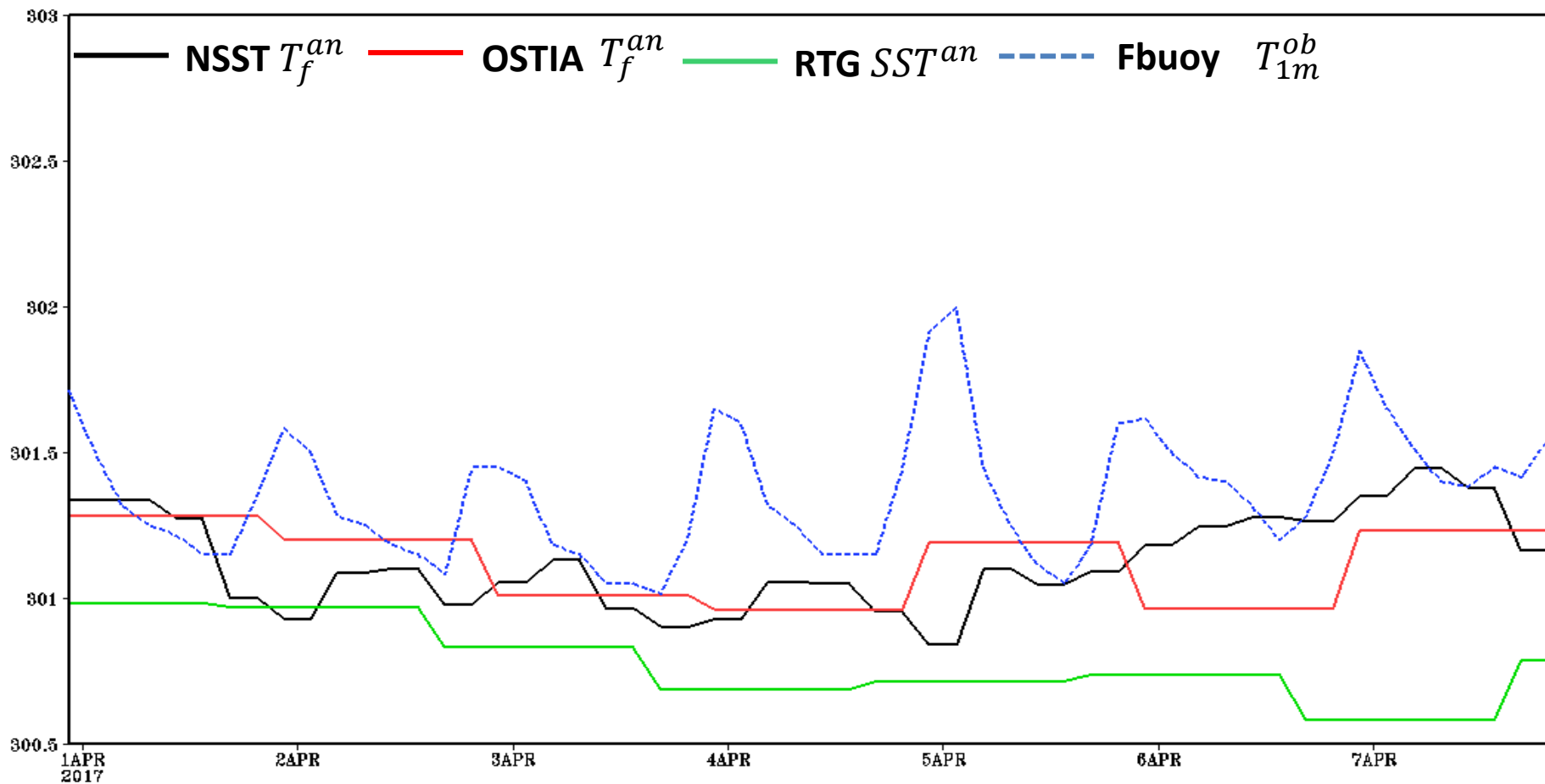


Verification

- **Difficult to verify – no truth**
- **Validating diurnal cycle**
- **Comparison of short forecasts to the observations**

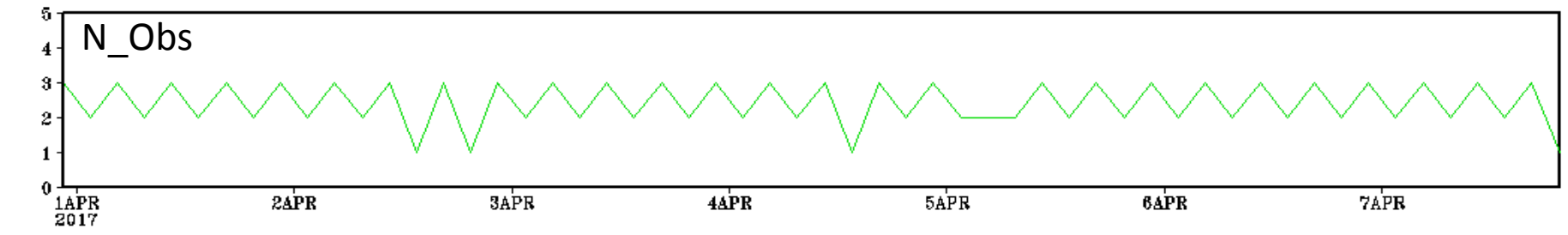
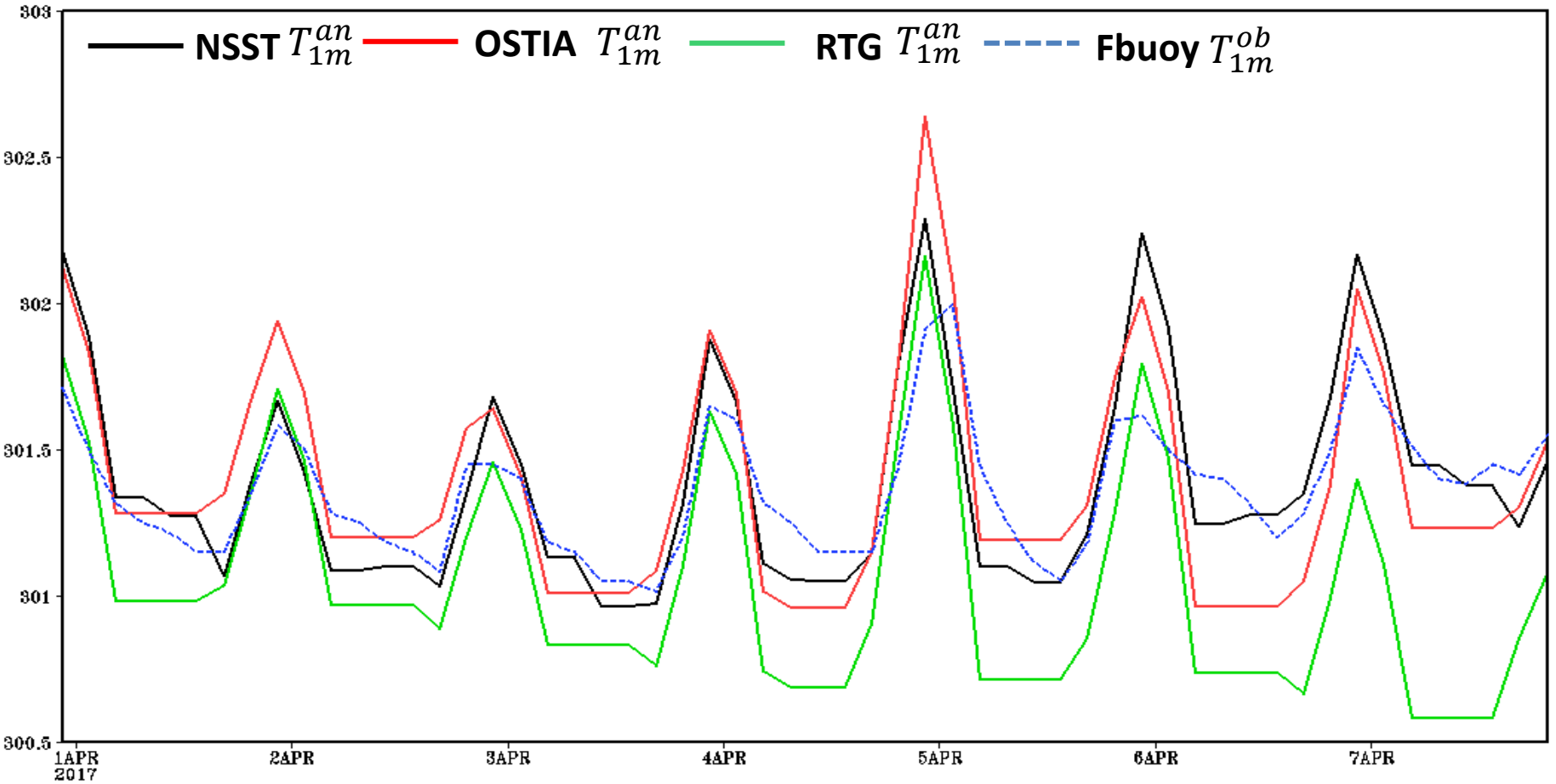
Time series of the analyzed T_f /SST and observed T (z=1m)

22:30Z, 31Mar2017 to 19:30Z, 07Apr2017, 3-hourly.

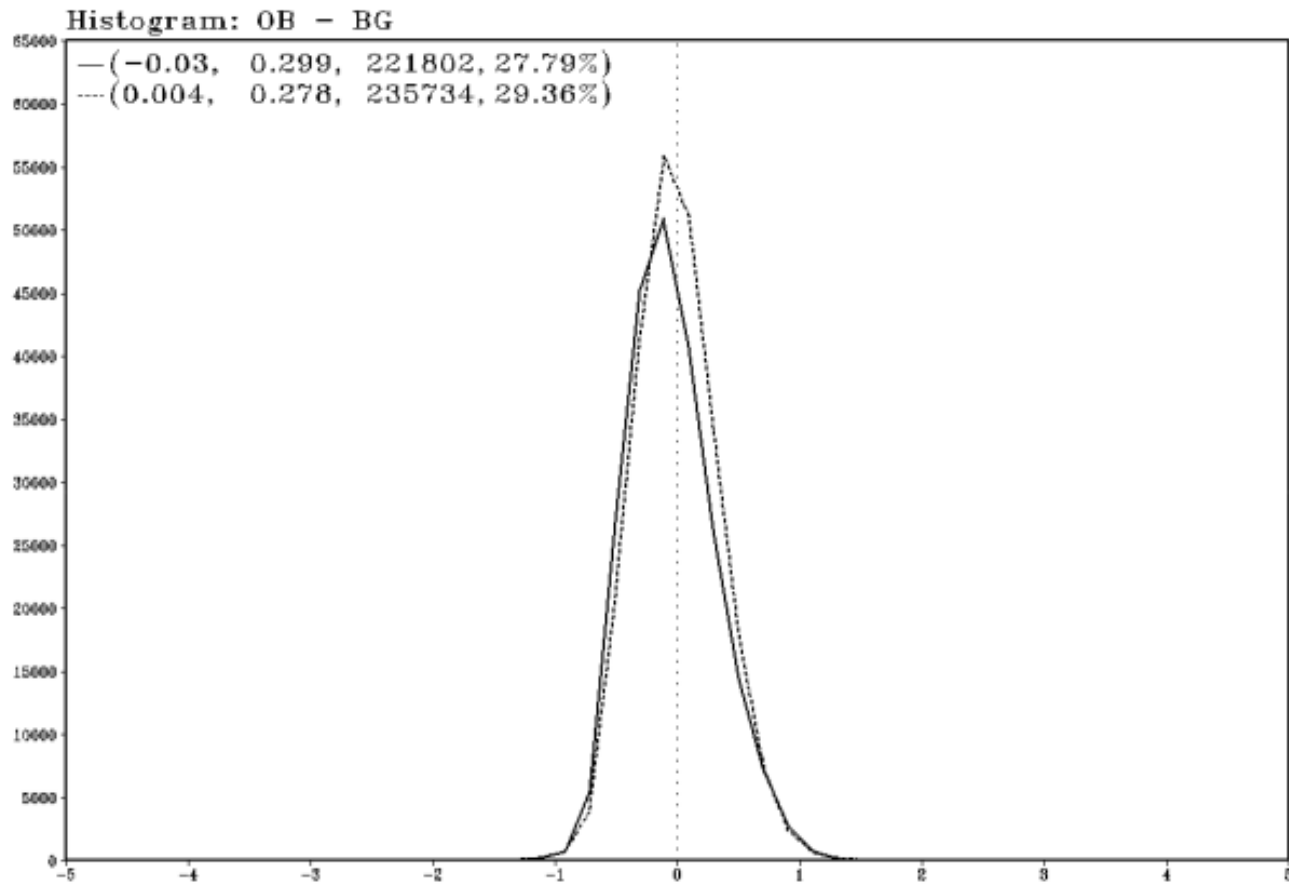


Time series of the analyzed and observed sea temperature at z=1m

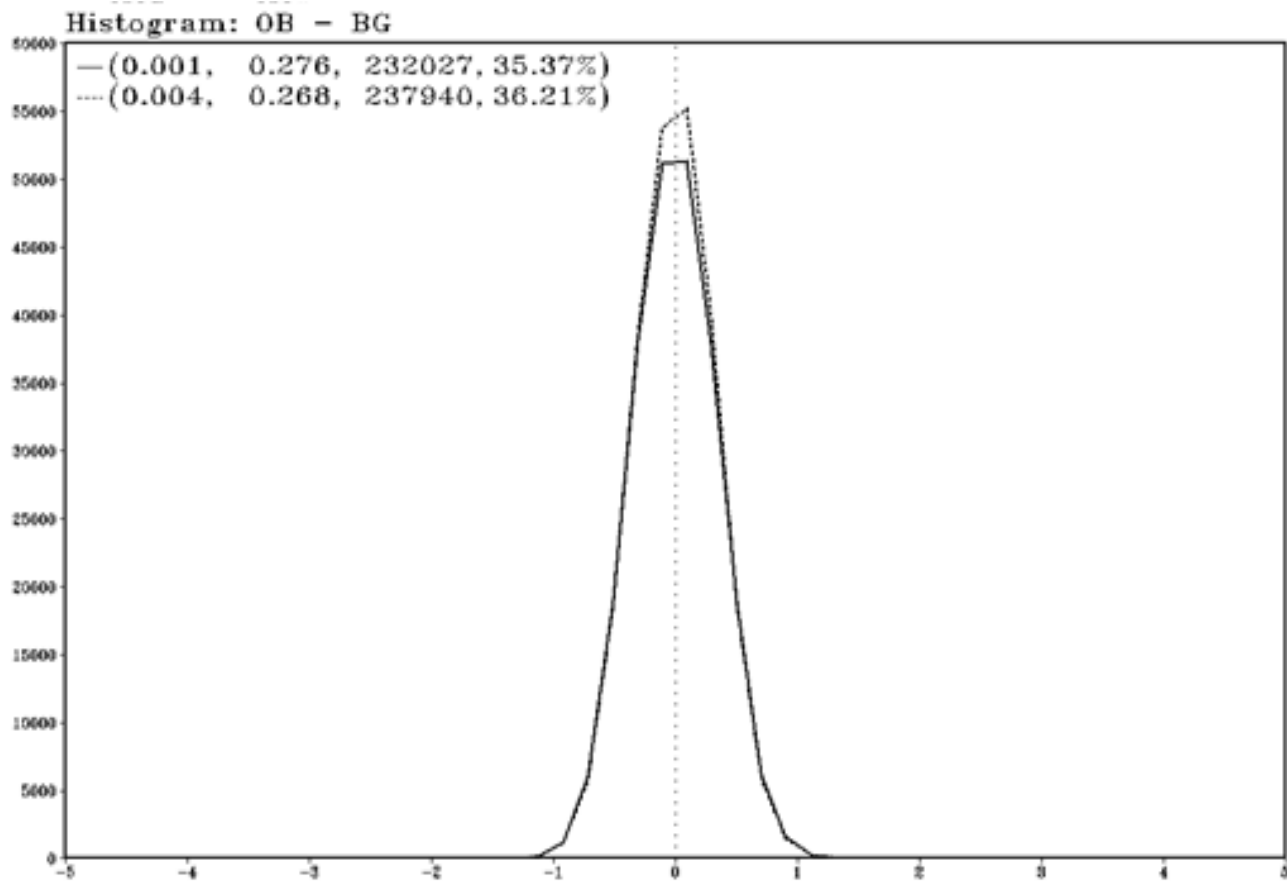
22:30Z, 31Mar2017 to 19:30Z, 07Apr2017, 3-hourly.



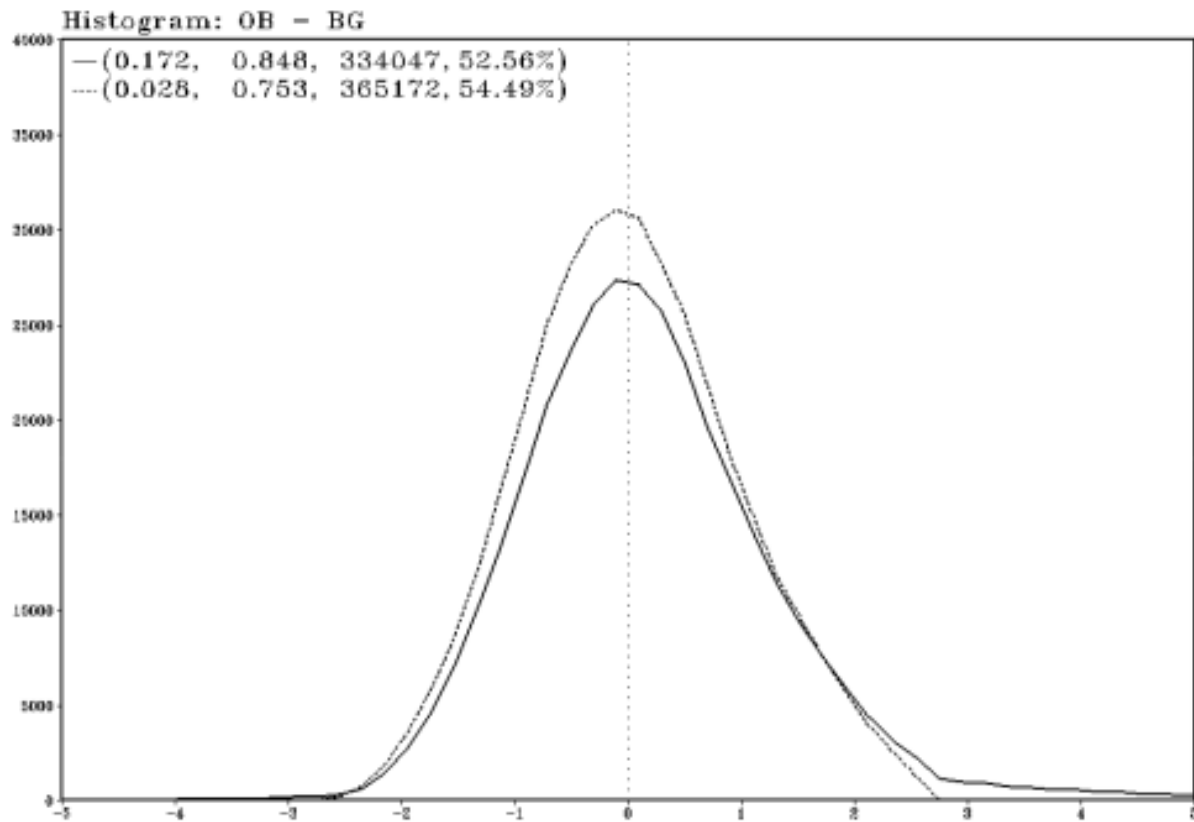
N-18 AVHRR Ch. 3



Metop-a IASI ch. 208

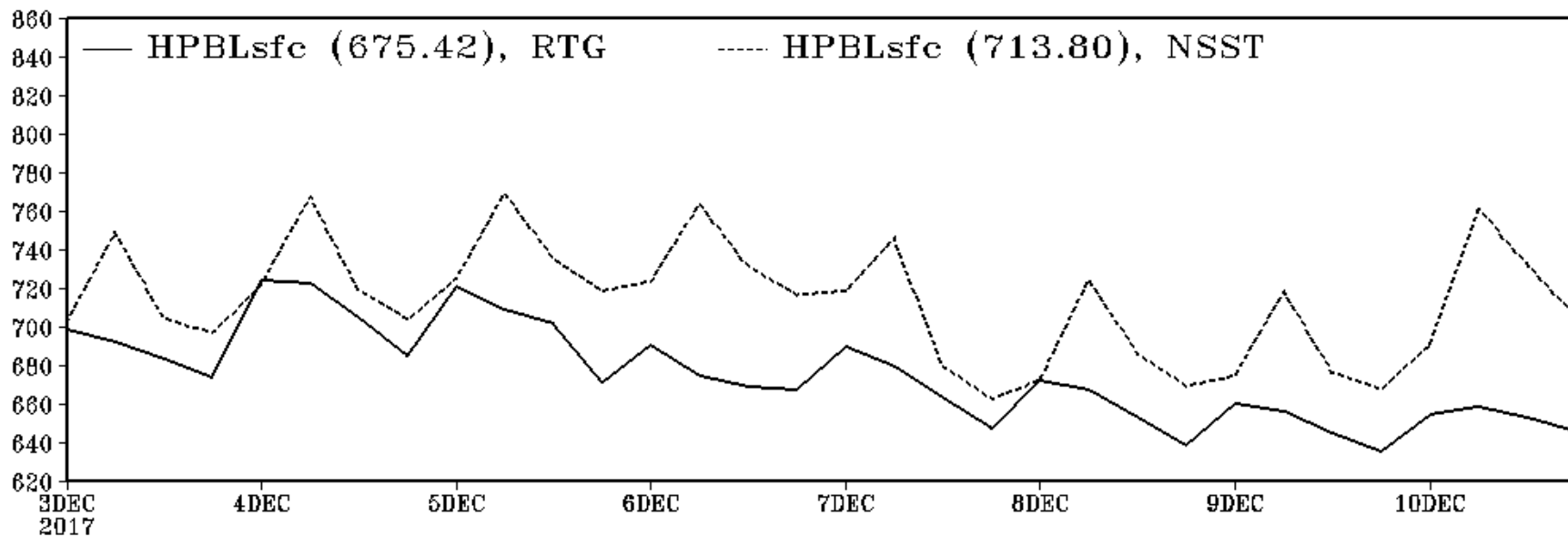
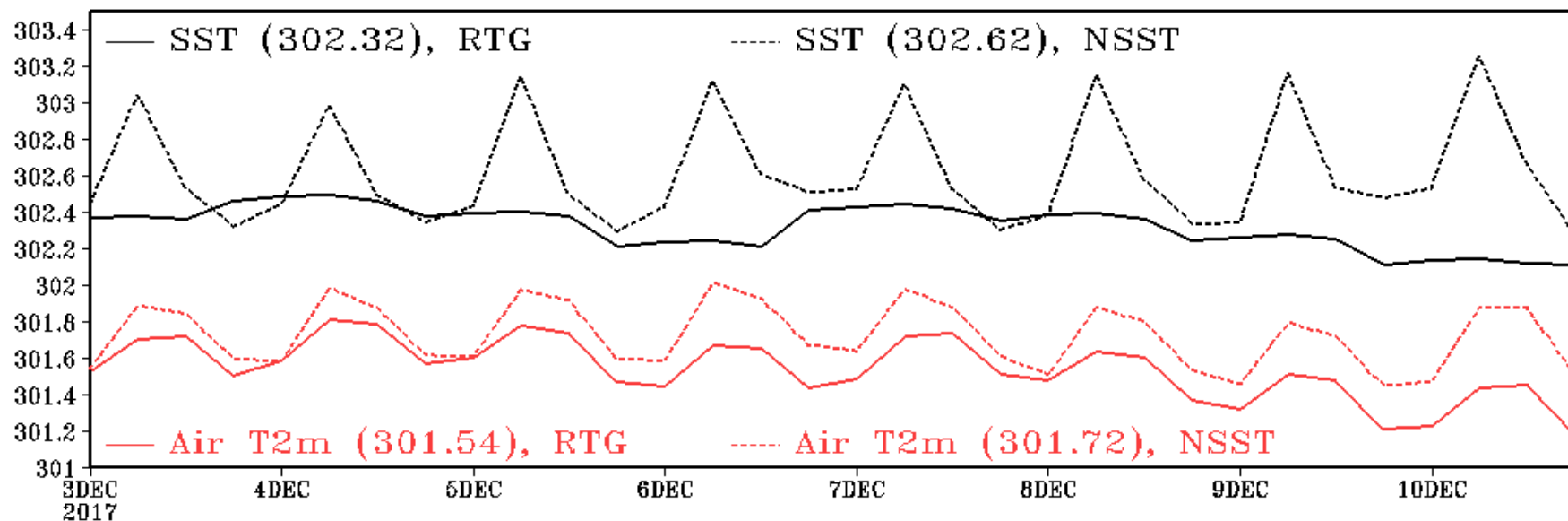


AMSR-E Ch. 1



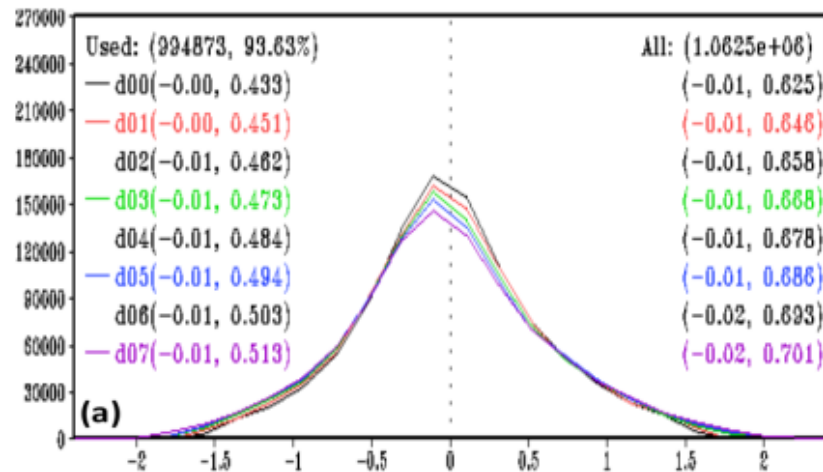
Time series of SST, Air T2m & planetary boundary layer height. Water.

Phillipine: Lon (90.0,150.0), Lat (-15,15.0). 00Z03Dec2017 to 18Z10Dec2017. 6-Hourly.

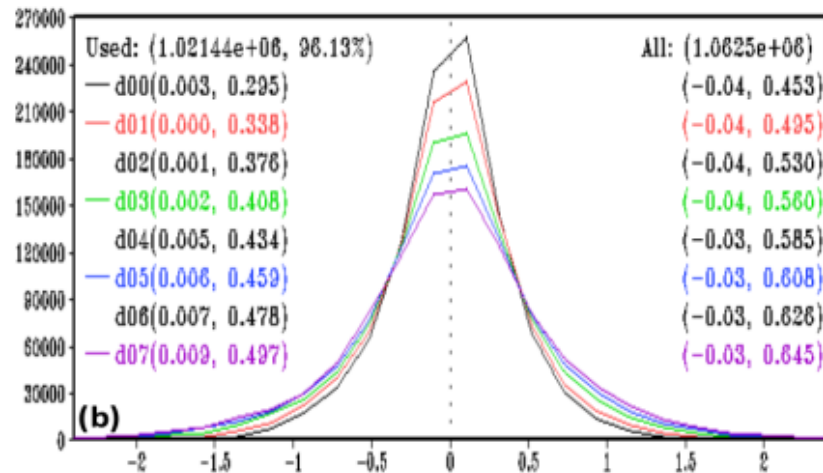


Verification of model forecasts vs. Buoys

Retention of information by model



RTG



NSST



Verification

- **Oceanic analysis and prediction**
 - Positive – improved fit to observations
- **The use of satellite data (O-B)**
 - Slightly Positive – more observations used with smaller RMS
- **Weather Prediction**
 - Neutral for NH and SH, positive for tropics (esp. surface pressure)
 - Slightly positive when verified against conventional observations



Final Comments and issues



- Included in the operational global model on July 19, 2017.
- Some positive impact noted in the tropics. Mid-latitudes neutral.
- Extension to Hybrid (currently only static background term)
- Placement of observations (shallow buoys in coastal regions)
- Coupled ocean/atmosphere system – should it be integrated into ocean model.

Backup Slides

Derivation of Diurnal Thermocline Model (DTM)

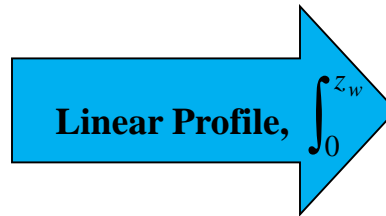
$$\frac{\partial T}{\partial t} = -\frac{1}{\rho_o c_p} \frac{\partial F}{\partial z} - \frac{1}{\rho_o c_p} \frac{\partial I}{\partial z}$$

$$\frac{\partial C_T}{\partial t} = \frac{1}{\rho_o c_p} [f_w(z_w) I_0 - Q]$$

$$\frac{\partial S}{\partial t} = -\frac{\partial M}{\partial z}$$

$$\frac{\partial C_s}{\partial t} = S_r (E - P)$$

$$\frac{\partial u}{\partial t} - fv = -\frac{1}{\rho_o} \frac{\partial \tau_x}{\partial z}$$



$$\frac{\partial C_u}{\partial t} = \frac{\tau_x}{\rho_o} + fC_v$$

$$\frac{\partial v}{\partial t} + fu = -\frac{1}{\rho_o} \frac{\partial \tau_y}{\partial z}$$

$$\frac{\partial C_v}{\partial t} = \frac{\tau_y}{\rho_o} - fC_u$$

$$C_x(z_w, t) = \int_0^{z_w} x(z, t) dz = \frac{1}{2} x(0, t) z_w, \quad \mathbf{x \text{ can be } T, S, u, v}$$

The mixed layer stability

$$\alpha C_h + \beta C_s = \frac{2R_{ic} (C_u^2 + C_v^2)}{gz_w^2}$$

criterion requires:

The 5th control equation for z_w is derived:

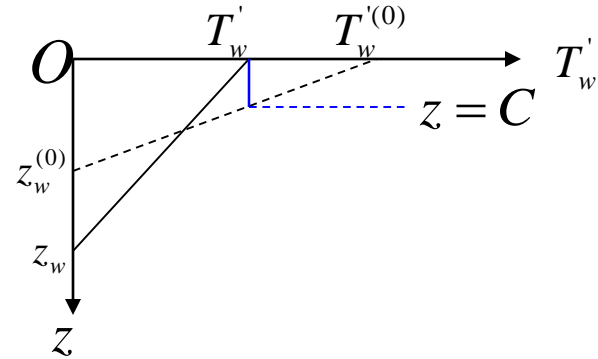
$$\frac{\partial z_w}{\partial t} = \left(\frac{\tau_x C_u + \tau_y C_v}{\rho_o} + \frac{g}{4R_{ic}} z_w^2 \Delta \rho' \right) \frac{z_w}{C_u^2 + C_v^2}$$

where $\Delta \rho' = -\frac{\alpha [f_w(z_w) I_0 - Q]}{c_p \rho_o} + \beta S_r (E - P)$

Thickness of free convection: C

$$C = \sqrt{\frac{2z_w \Delta t}{\alpha \rho_o T'_s - \beta \rho_o S'_s} \left\{ \frac{\alpha}{c_p} Q - \frac{\alpha}{c_p} [f_w(C) - \text{sum} \cdot C] I_0 + \beta \rho_o S_r (E - P) \right\}}$$

$$\text{Where, } \text{sum} = \sum_{i=1}^N \left[(F_i / \gamma_i) e^{-C/\gamma_i} \right]$$



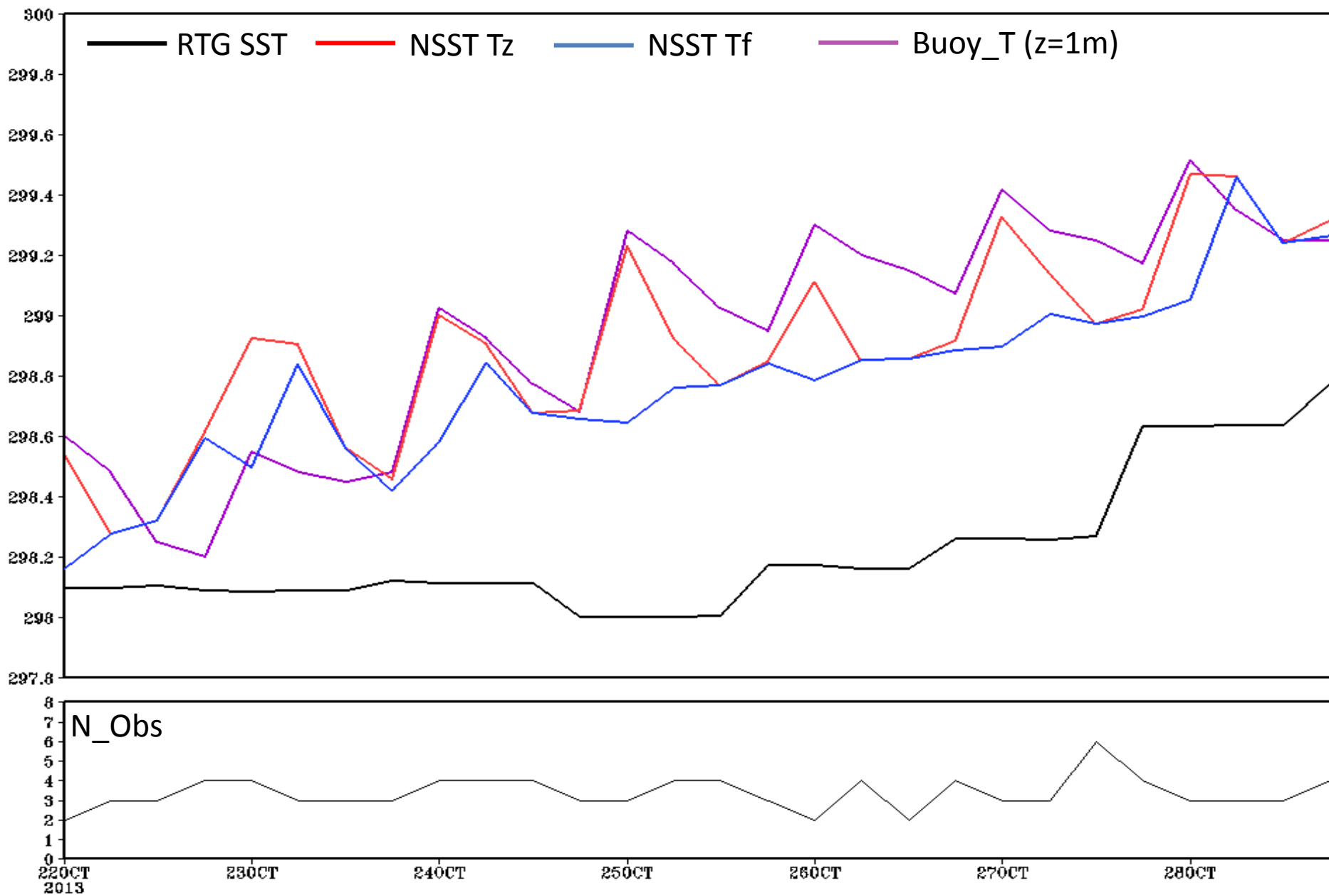
Jacobi of observation operator $\partial T(z) / \partial T_f$

$$\frac{\partial T_z}{\partial T_f} = \frac{1}{1 - W_0 + C_0} + \frac{W_d - C_d}{1 - W_0 + C_0} z$$

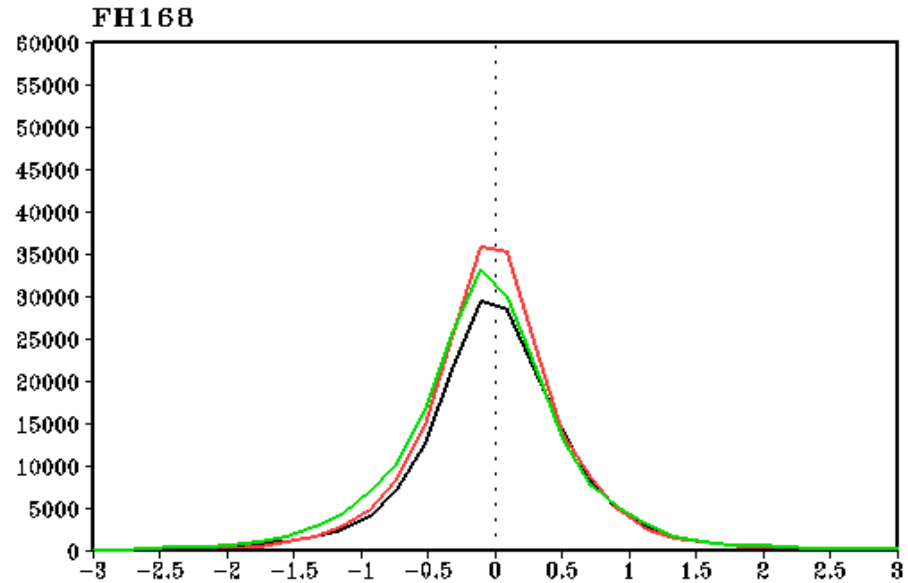
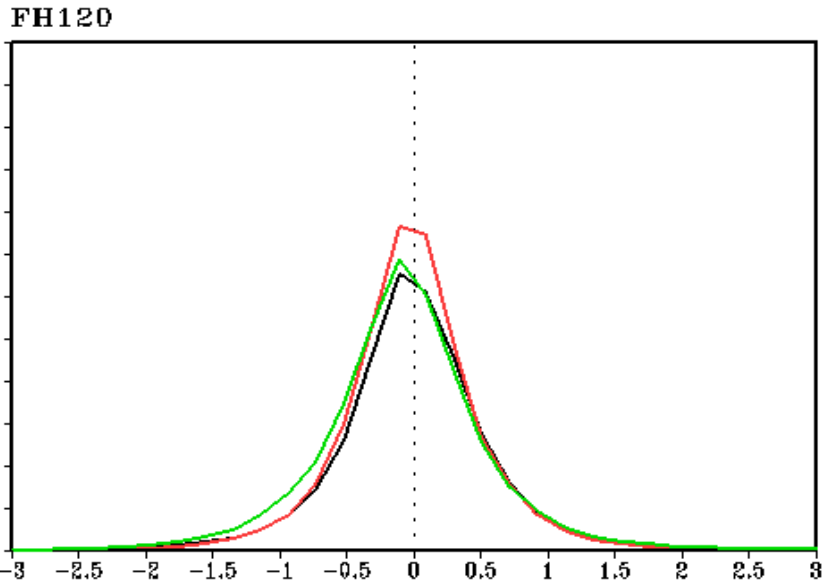
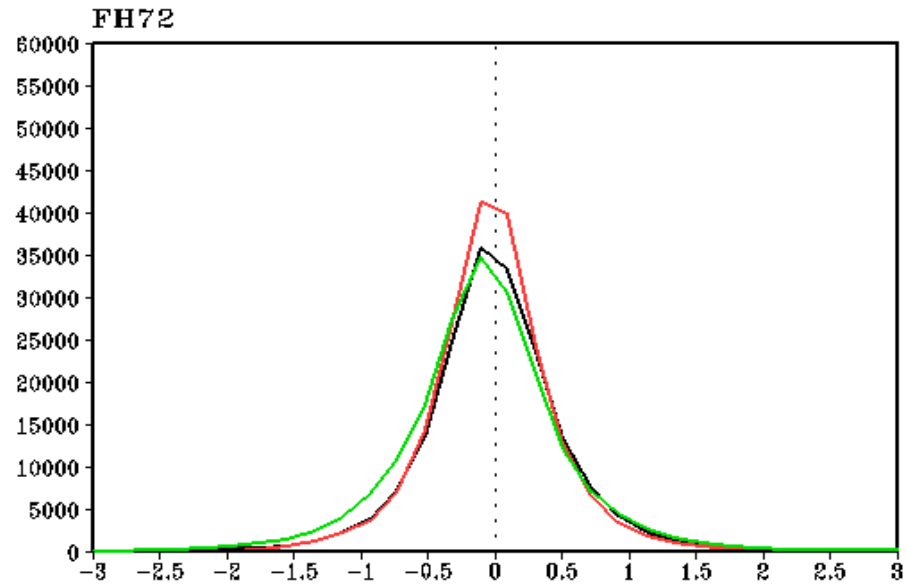
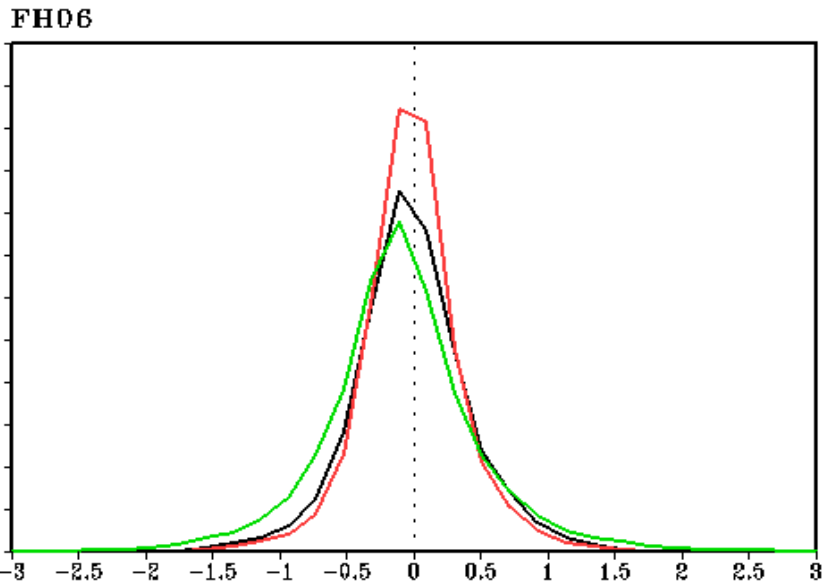
$$W_0 = \frac{\partial T'_w(0)}{\partial T_s} = \frac{2}{z_w} \frac{\partial C_T}{\partial T_s} - \frac{2C_T}{z_w^2} \frac{\partial z_w}{\partial T_s}, \quad W_d = \frac{T'_w(0)}{z_w^2} \frac{\partial z_w}{\partial T_s} - \frac{1}{z_w} \frac{\partial T'_w(0)}{\partial T_s}$$

$$C_0 = \frac{1}{\kappa} \left[\delta_c \frac{\partial Q}{\partial T_s} + (Q - S_c - I_0 A_c \delta_c) \frac{\partial \delta_c}{\partial T_s} \right], \quad C_d = \frac{1}{\kappa} \left(I_0 A_c \frac{\partial \delta_c}{\partial T_s} - \frac{\partial Q}{\partial T_s} \right)$$

Time series of SST/Tz/Tf **BG** and buoy observation. Area: (141 W – 139 W, 4S – 4N)



Histogram of (F-O), against Buoy. Based on 30 predictions in November, 2013. Global



— Daily SST — NSST Tz — Weekly SST

Time series of TMPsfc, Air T2m & planetary boundary layer height. Land.
Phillipine: Lon (90.0,150.0), Lat (-15,15.0). 00Z03Dec2017 to 18Z10Dec2017. 6-Hourly.

